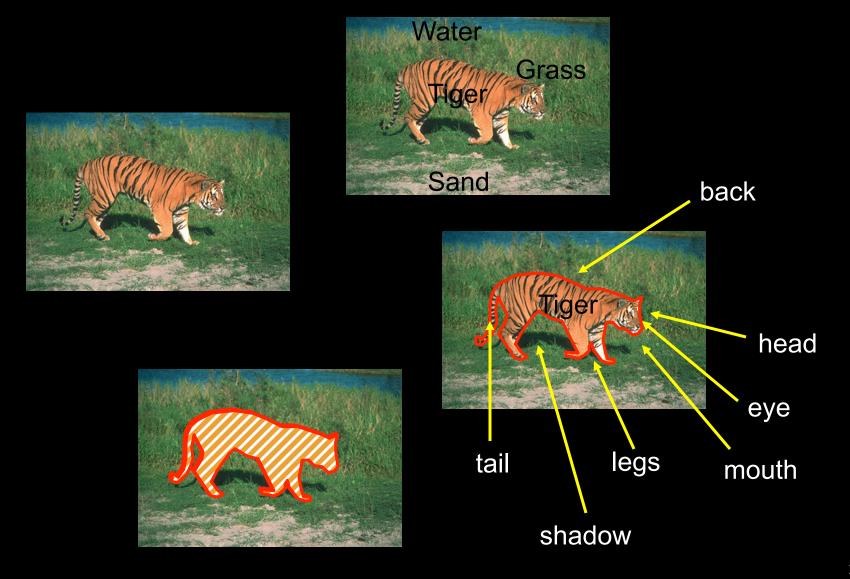
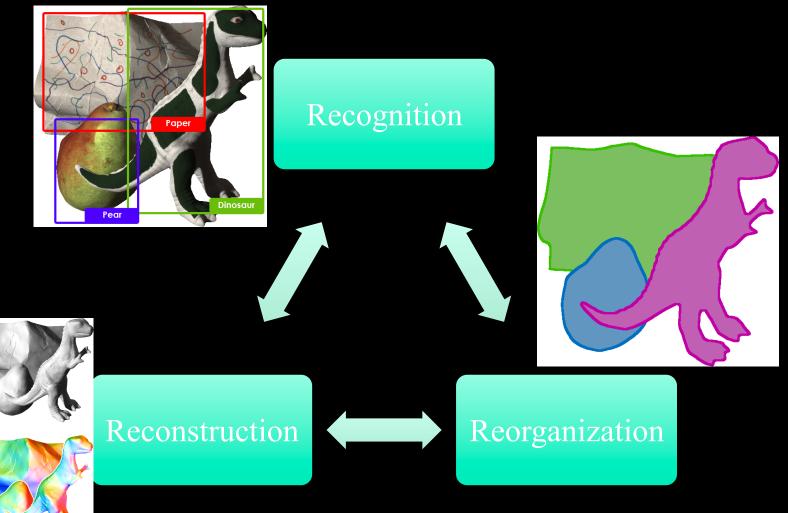
## Visual Grouping: Contours and Regions in Natural Images

Jitendra Malik University of California at Berkeley

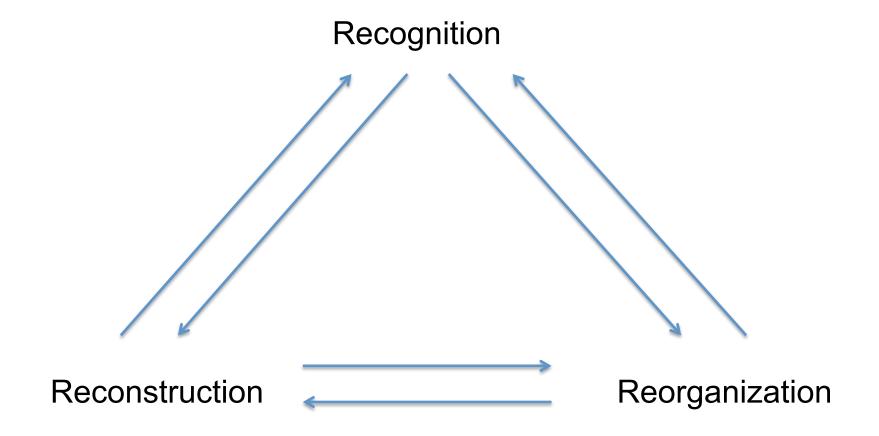
## From Pixels to Perception



### Recognition, Reconstruction & Reorganization



### The Three R's of Vision



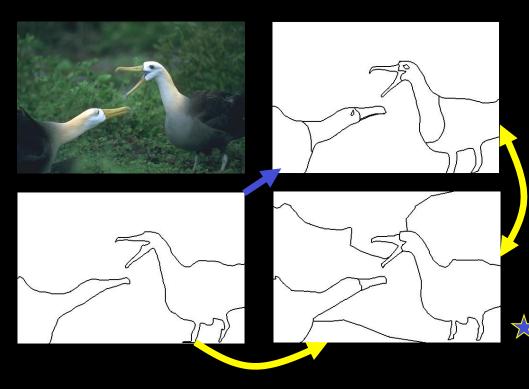
Each of the 6 directed arcs in this diagram is a useful direction of information flow

**Berkeley Segmentation DataSet [BSDS]** 



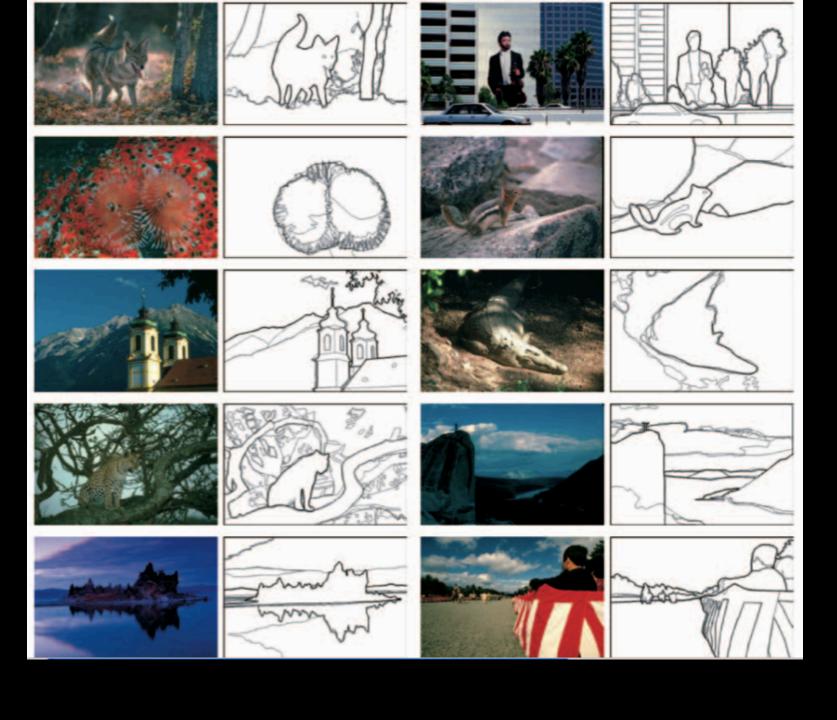
D. Martin, C. Fowlkes, D. Tal, J. Malik. "A Database of Human Segmented Natural Images and its Application to Evaluating Segmentation Algorithms and Measuring Ecological Statistics", <u>ICCV</u>, 2001<sup>5</sup>

### Consistency

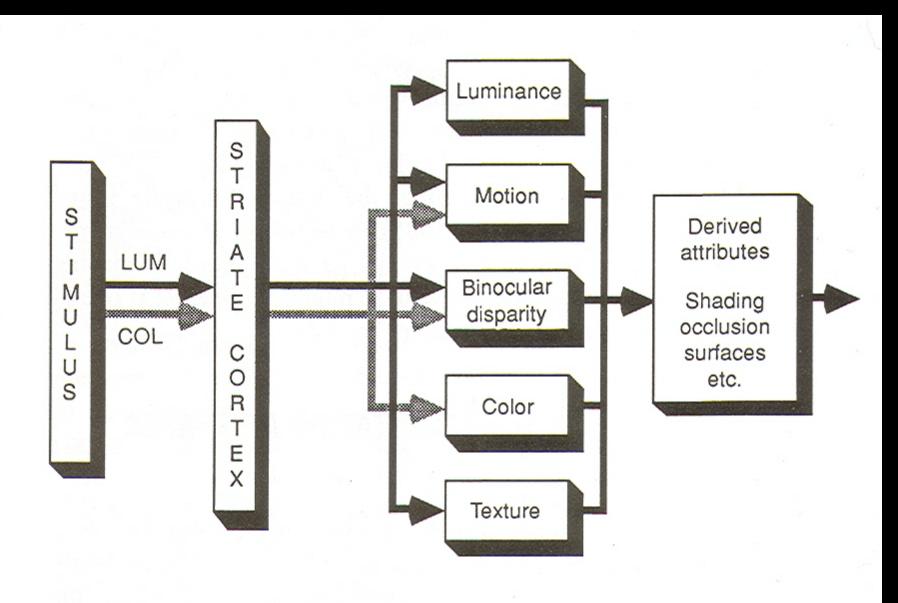


- A,C are refinements of B
- A,C are mutual refinements
- A,B,C represent the same percept
  - Attention accounts for differences

Two segmentations are consistent when they can be explained by the same segmentation tree (i.e. they could be derived from a single perceptual organization).



### Contours can be defined by any of a number of cues (P. Cavanagh)



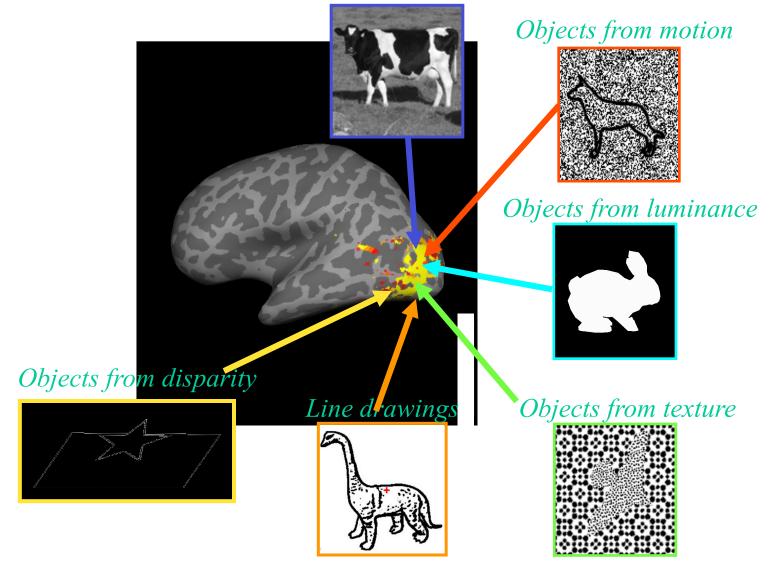
# Boundaries of image regions defined by a number of cues

- Brightness
- Color
- Texture
- Motion (in video)
- Binocular Diparity (if available)
- Familiar objects

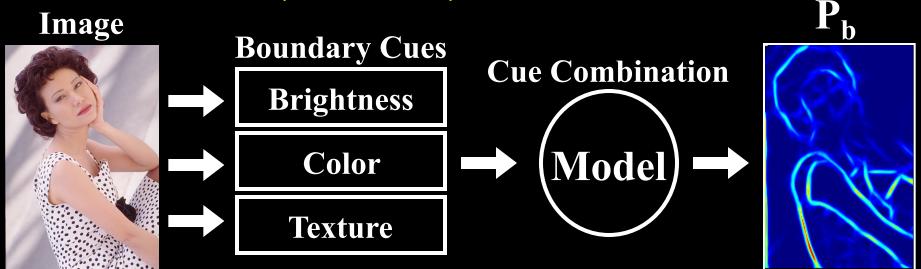


## Cue-Invariant Representations

Gray level photographs



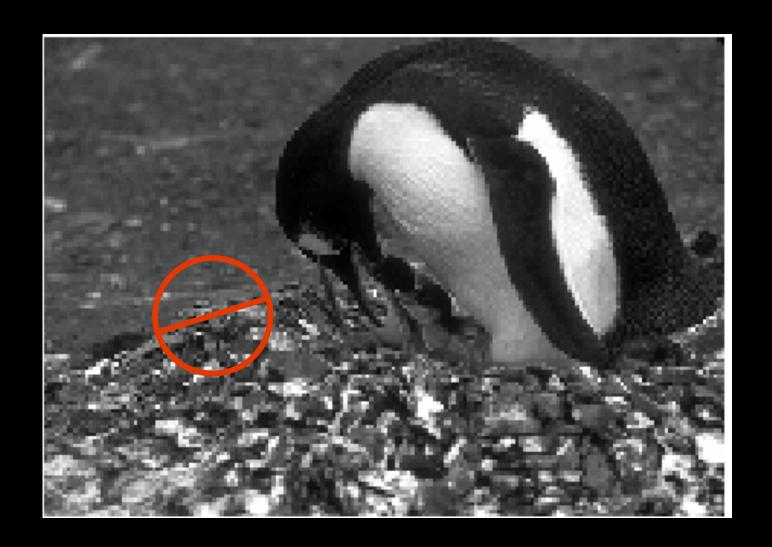
### Martin, Fowlkes, Malik PAMI 04



Challenges: texture cue, cue combination

Goal: learn the posterior probability of a boundary  $P_b(x,y,\theta)$  from local information only

### **Oriented Feature Gradient**

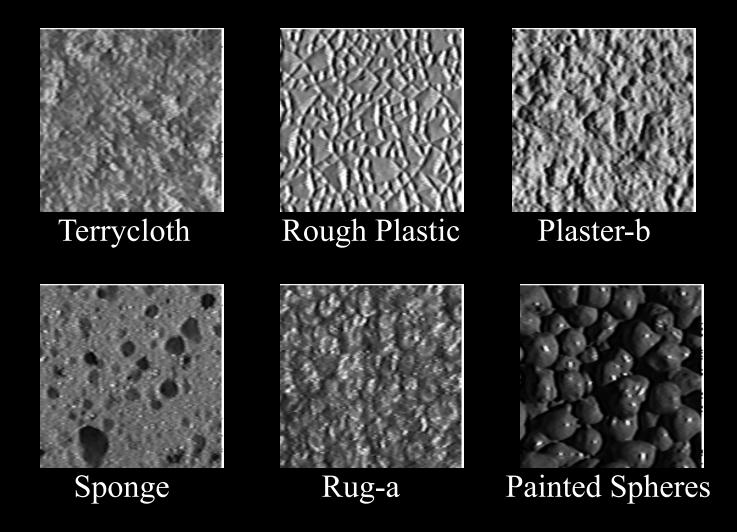


### Visual Texture

Jitendra Malik

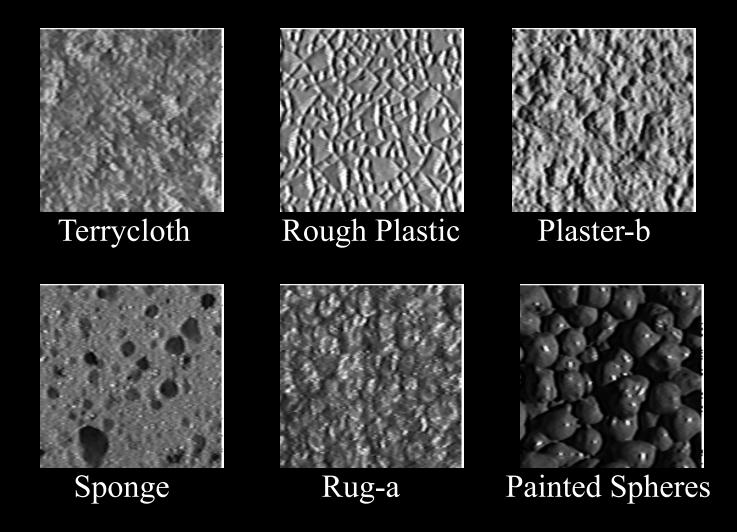
University of California, Berkeley

### Example Natural Materials



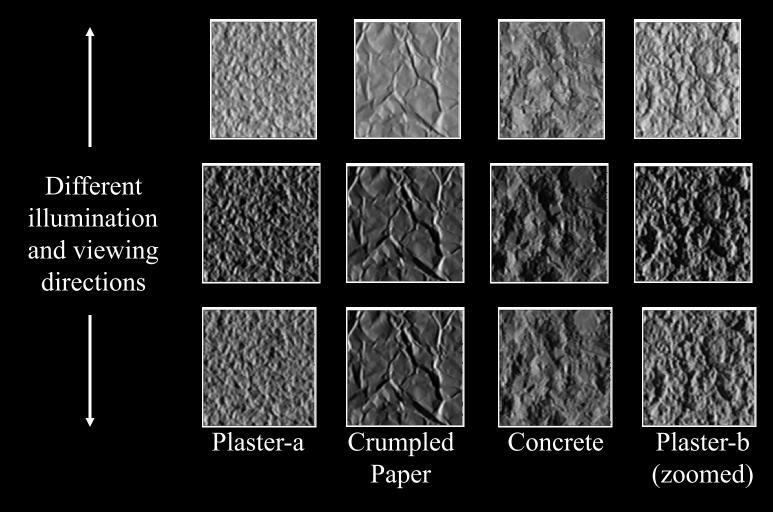
Columbia-Utrecht Database (http://www.cs.columbia.edu/CAVE)

### Example Natural Materials



Columbia-Utrecht Database (http://www.cs.columbia.edu/CAVE)

# Materials under different illumination and viewing directions



グレンコ て ラココレンショニド コレーバコシコににく ペンく てくコレ アくててく コア くしへつ コート ハア くたて ラコーレ ココテく ハスハン くく にしょう シェー コーランイン イン・フィー・フィーラー・フィーン くさート フェレ ゴアド ハグ レッフ ノレー ノア パレ ゴリテア にんりょんとく コレンくしんくいんて ハハん いいくいし へくうキャメキャキャ コハレン りいく じんくレブ ハンココレシレ くコレナン・ナンストーコウントレくくっぱくコックレクレ レベナキャメメキャメアノ バ くへつく アマイ・リアイイアン アコレント シッく コッペハンハンアくく ハレコンフレン ノーノ コハハ レイトンコトイトグラアッグアッシイトグレイイナグットシャッパ しょうしく アコペラン ハン ション ファン コンドー コアディマラコ つっしハンコレレストレト ウコくいコレく ハトトレく ハコハシハ コントハングでトレイく トレトレア・ハン シレベトレ くべょ ろくし マント アント しょくしょ しくしょ コイくく レヘトピア アーノ アート ードマ くくじ インコンペン ついくく コハンじ シコく コペンシン ハトく ハコ

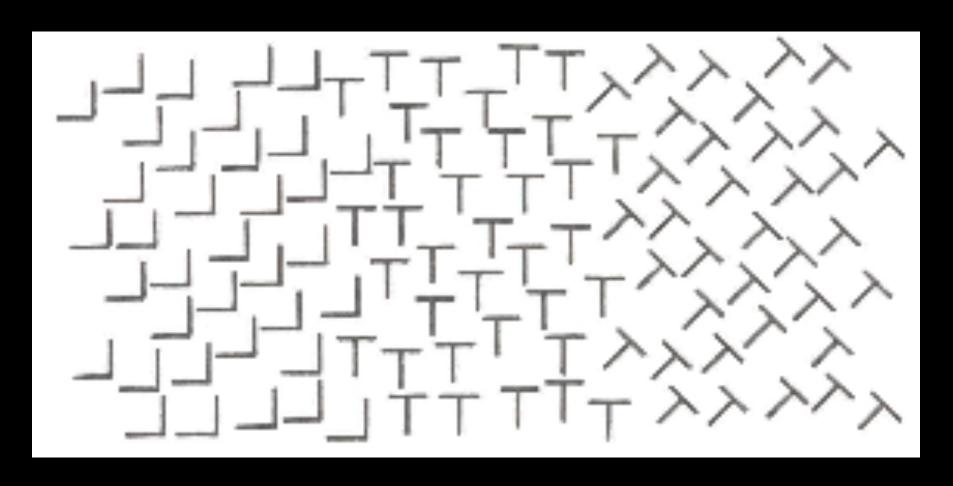
## Julesz's texton theory

- 1. Human Vision operates in two distinct modes
  - 1. Pre-attentive vision parallel, instantaneous, without scrutiny, independent of the number of patterns
  - 2. Attentive vision serial search by focal attention in 50 ms steps limited to a small aperture as in form recognition

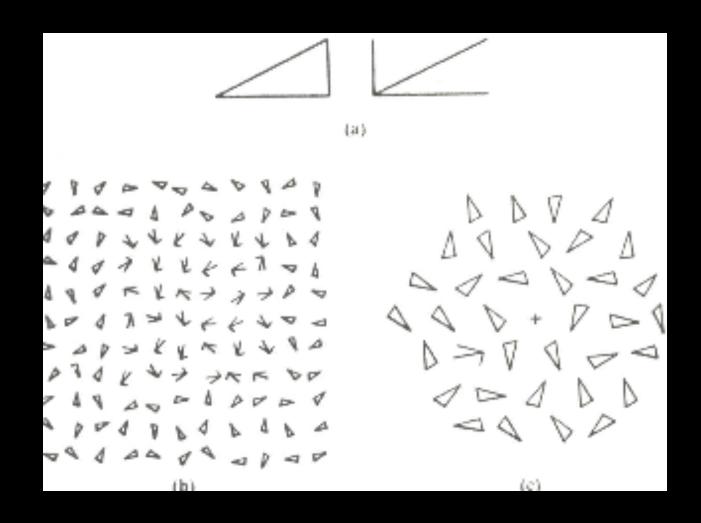
#### 2. Textons are

- 1. Elongated blobs e.g. rectangles, ellipses, line segments with specific orientations, widths and lengths
- 2. Terminators ends of line segments
- 3. Crossings of line segments

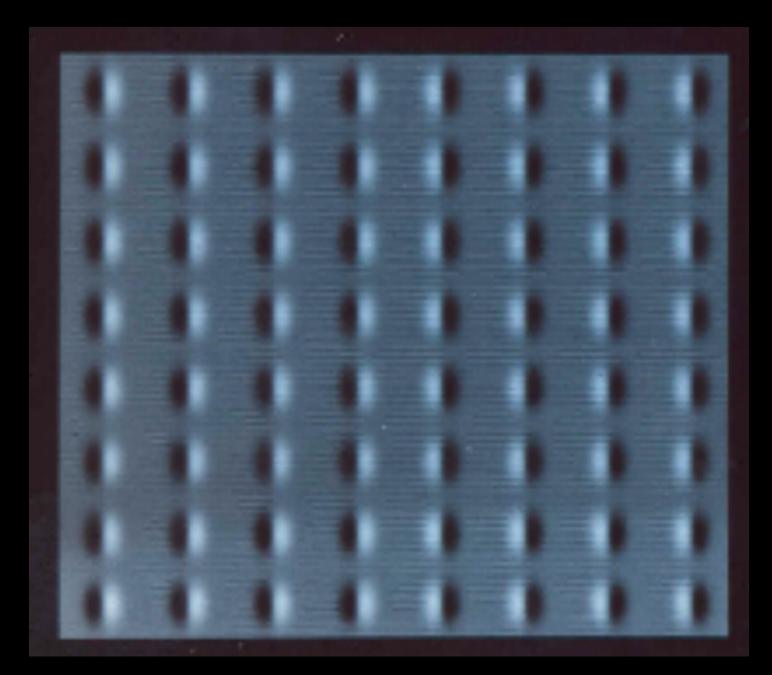
## Orientation is a texton

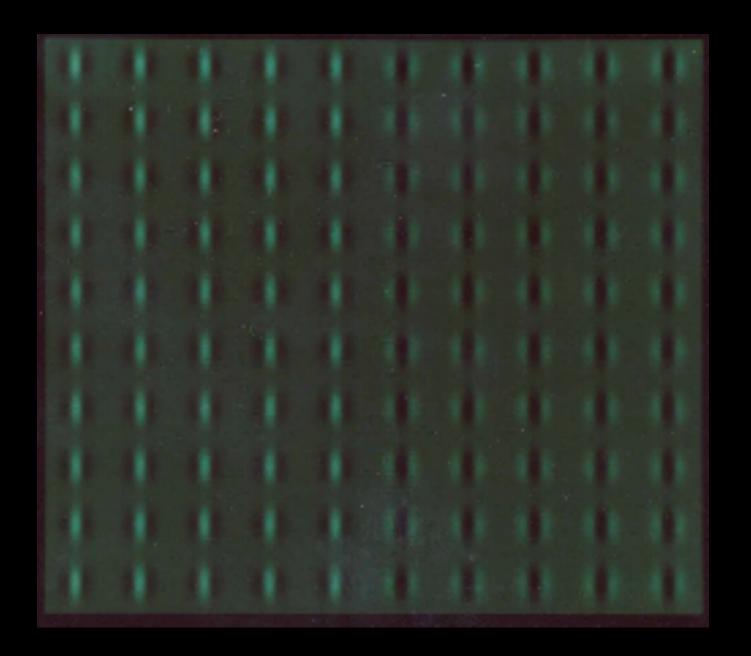


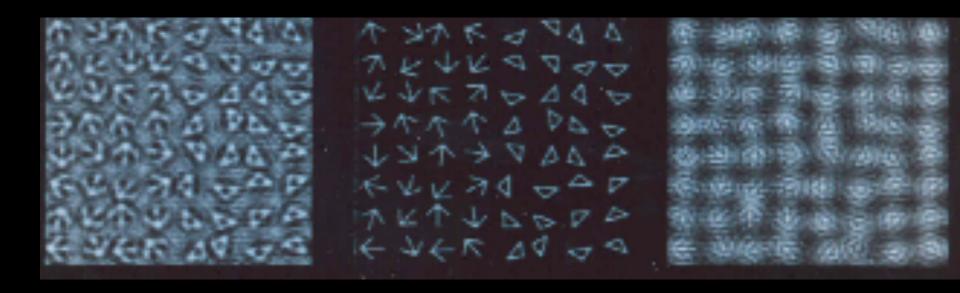
### Terminators are textons

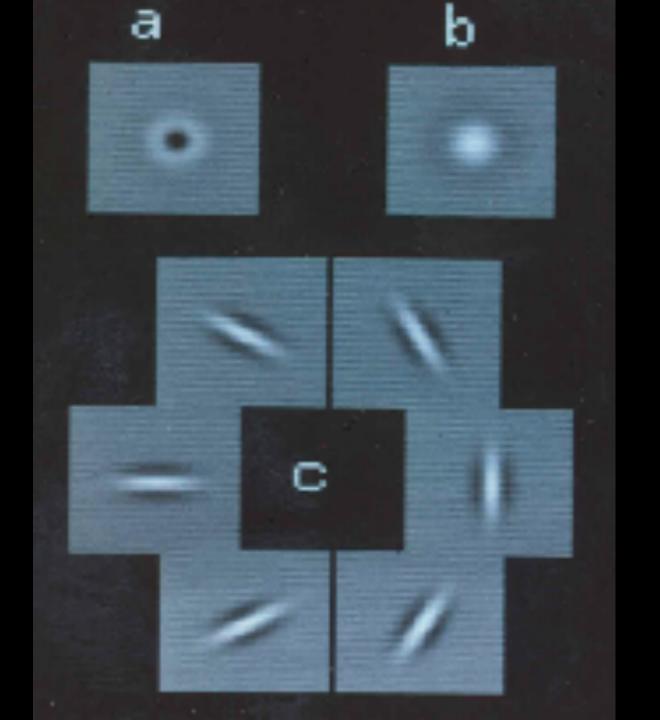


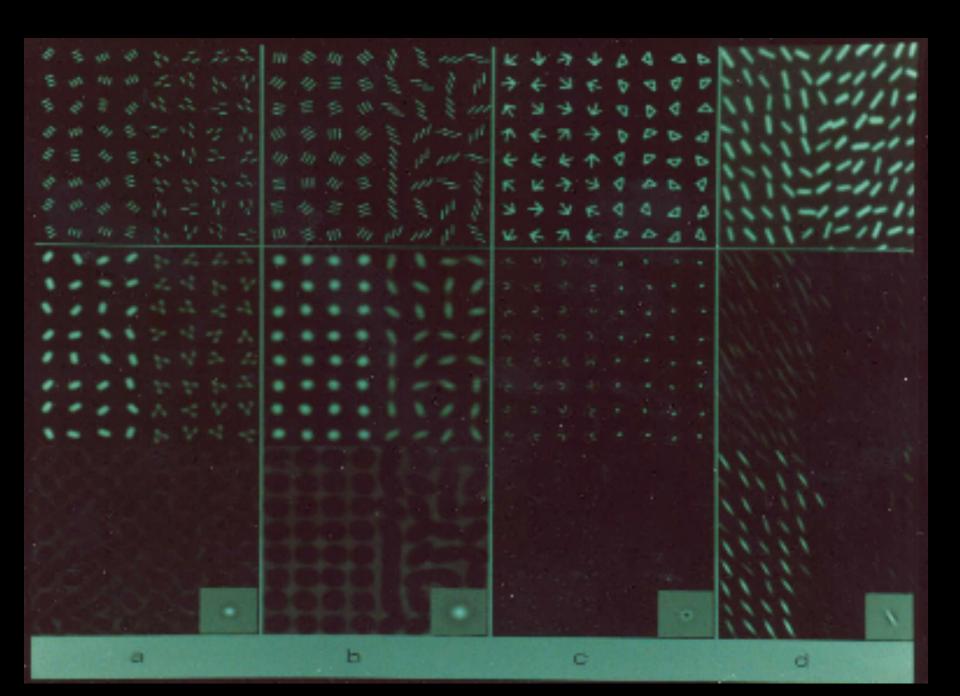
(ii) 11 0 10 0 801010109850 D = 0 0 5 5 5 6 5 6 4 950 | 50 | 50 | 50 | 4 N 2 S 4 N S 4 N N 4 8080505111 4 4 4 4 4 4 4 4 4 4 4 10 11 2 3 (b) (c)



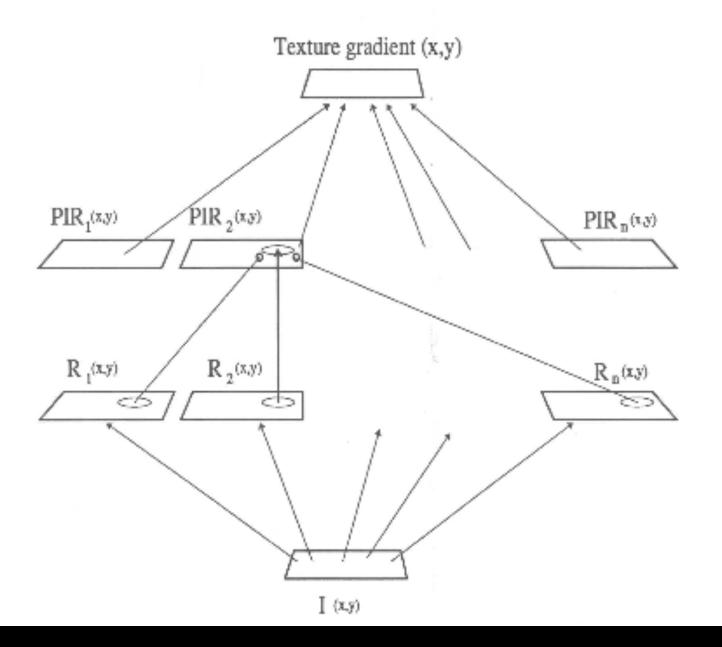


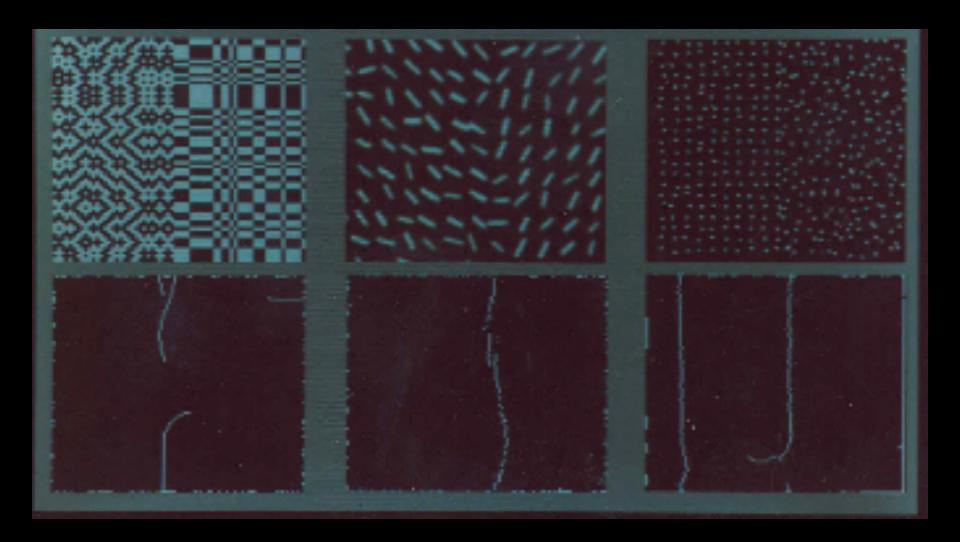






### Texture gradient: $\max_{i}(|\nabla PIR_{i} * G_{\sigma}|)$





### Six sample textures

Table 3. Comparison of Predictions from Texture

Segmentation Algorithm with Two Sets of Psychophysical Data <sup>a</sup>					
	Discriminability				
	Data Refs.	Data	Predicted		
Texture Pair	41 and 42	Ref. 43	Data		
+ 0	100(saturated)	n.a.	407		
+ 🗆	88.1	n.a.	225		
L +	68.6	0.736	203		
T M	n o	n 0	165		

	Data Refs.	Data	Predicted
Texture Pair	41 and 42	Ref. 43	Data
+ o	100(saturated)	n.a.	407
+ 🗆	88.1	n.a.	225
L +	68.6	0.736	203
LM	n.a.	n.a.	165
$\Delta^{\! \! \! \! \! \! \! \! \! \! \! \! \! \! \! \! \! \! \! $	52.3	0.4 - 0.55	159
+ T	37.6	0.496	120

	Data Refs.	Data	Predicted
Texture Pair	41 and 42	Ref. 43	Data
+ 0	100(saturated)	n.a.	407
+ 🗆	88.1	n.a.	225
L +	68.6	0.736	203
LM	n.a.	n.a.	165
$\Delta^{\not\downarrow}$	52.3	0.4 - 0.55	159
+ T	37.6	0.496	120
+ X	30.3	n.a.	104
$\mathbf{T} \mathbf{L}$	30.6	0.421	90*

n.a.

n.a.

85

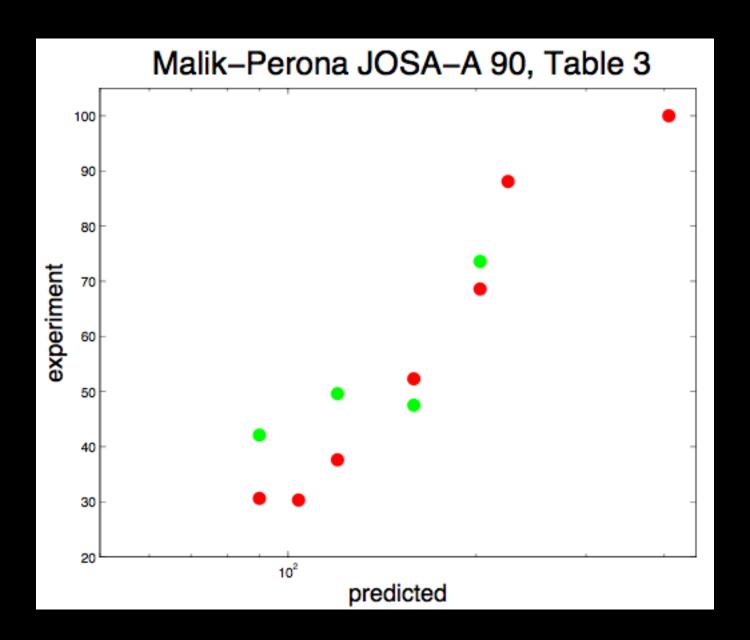
50\*

n.a.

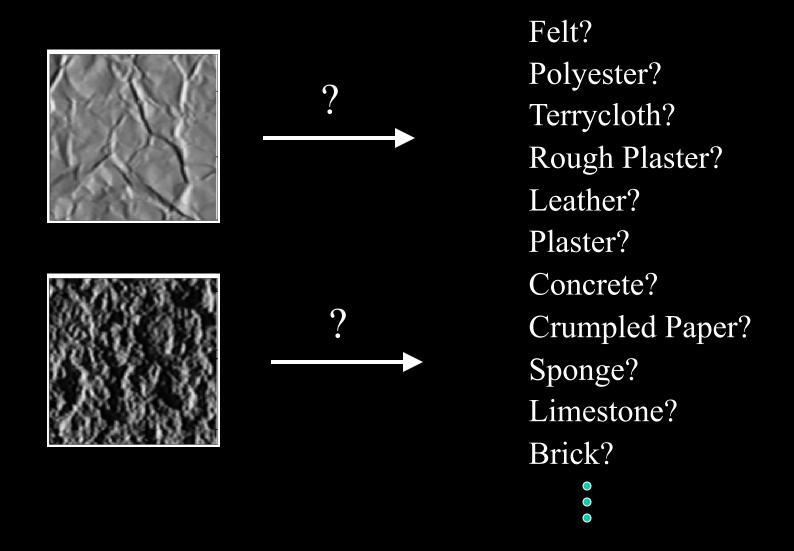
n.a.

 $L_L M_L$ 

R-mirror-R

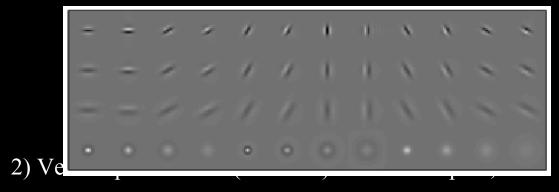


### Texture Recognition



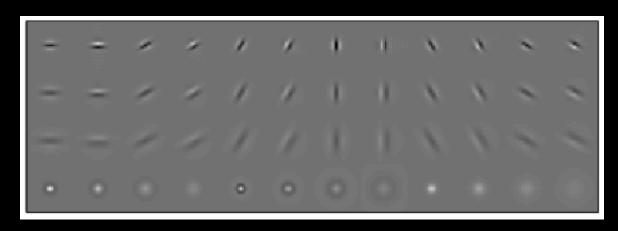
### 2D Textons

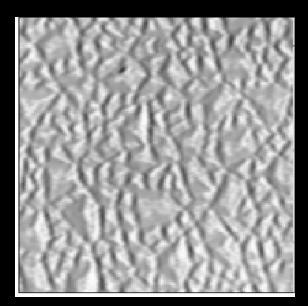
- Goal: find canonical local features in a texture;
  - 1) Filter image with linear filters:

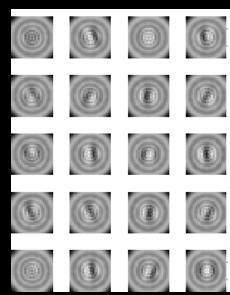


- 3) Quantization centers are the textons.
- Spatial distribution of textons defines the texture;

## 2D Textons (cont' d)

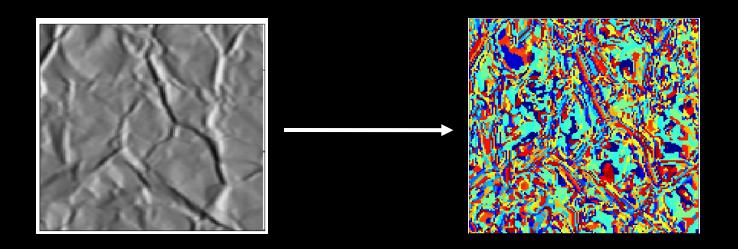






### Texton Labeling

- Each pixel labeled to texton *i* (1 to K) which is *most* similar in appearance;
- Similarity measured by the Euclidean distance between the filter responses;

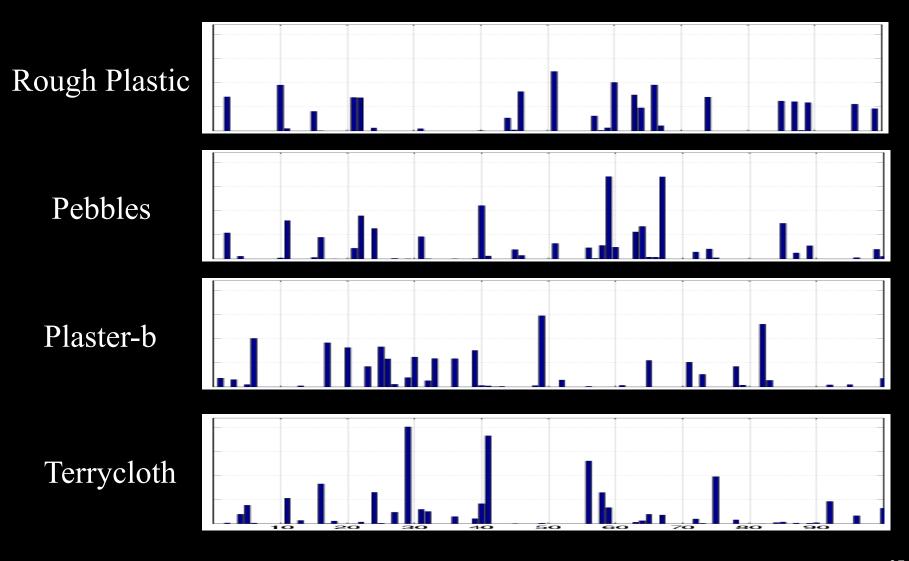


### Material Representation

• Each material is now represented as a spatial arrangement of symbols from the texton vocabulary;

• Recognition --- ignore spatial arrangement, use histogram (K=100);

# Histogram Models for Recognition (Leung & Malik, 1999)

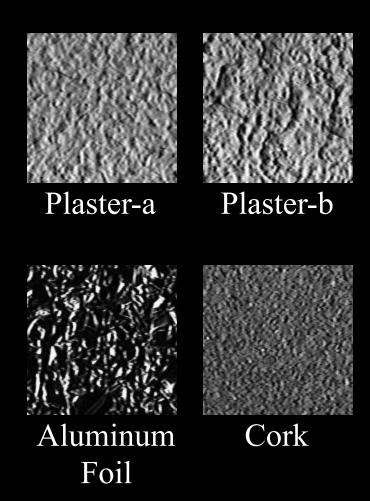


#### Similarity of materials

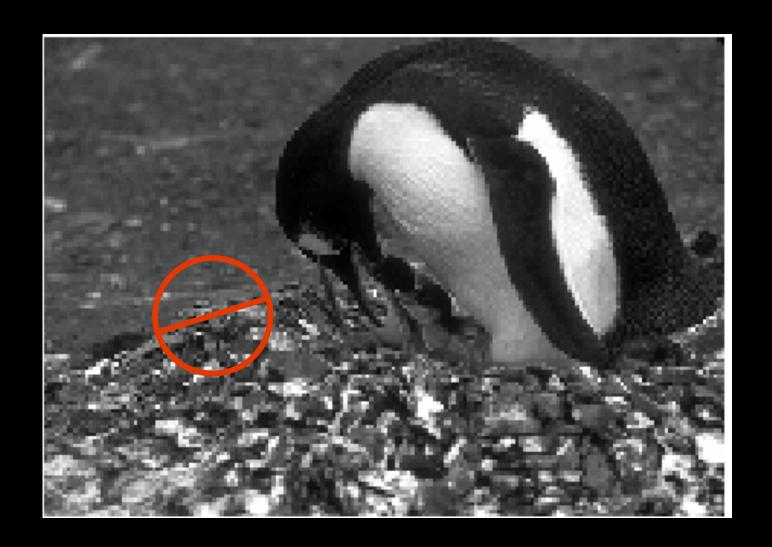
• Similarity between histograms measured using chi-square difference:

#### Similarity Matrix

Felt	0.6	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
Terrycloth	0.0	1.0	0.0	0.0	0.3	0.0	0.1	0.2	0.0	0.0	0.0	0.0	0.0	0.0
Rough Plastic	0.0	0.0	0.9	0.0	0.0	0.0	0.2	0.1	0.0	0.0	0.0	0.0	0.0	0.0
Leather	0.2	0.0	0.0	1.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0
Sandpaper	0.0	0.1	0.0	0.0	1.0	0.0	0.1	0.0	0.0	0.0	0.0	0.0	0.0	0.0
Pebbles	0.0	0.0	0.0	0.0	0.0	1.0	0.0	0.0	0.0	0.0	0.0	0.0	0.1	0.0
Plastera	0.0	0.1	0.2	0.0	0.1	0.0	1.0	0.7	0.0	0.0	0.0	0.0	0.0	0.0
Plasterb	0.0	0.2	0.1	0.0	0.0	0.0	0.8	1.0	0.0	0.0	0.0	0.0	0.0	0.0
Rough Paper	0.0	0.0	0.0	0.1	0.0	0.0	0.0	0.0	0.5	0.0	0.0	0.0	0.0	0.0
Artificial Grass	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	1.0	0.1	0.1	0.0	0.0
Roof Shingle	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.2	1.0	0.1	0.0	0.0
Aluminum Foil	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.1	0.0	1.0	0.0	0.0
Cork	0.0	0.0	0.0	0.0	0.0	0.3	0.0	0.0	0.0	0.0	0.0	0.0	1.0	0.2
Rough Tile	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.9
	Felt	Terrycloth	Rough Plastic	_	Sandpaper	Pebbles		Plasterb	Rough Paper				Cork	Rough Tile

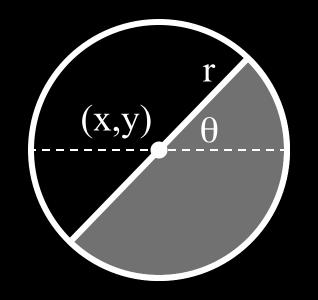


#### **Oriented Feature Gradient**

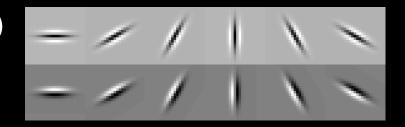


#### Individual Features

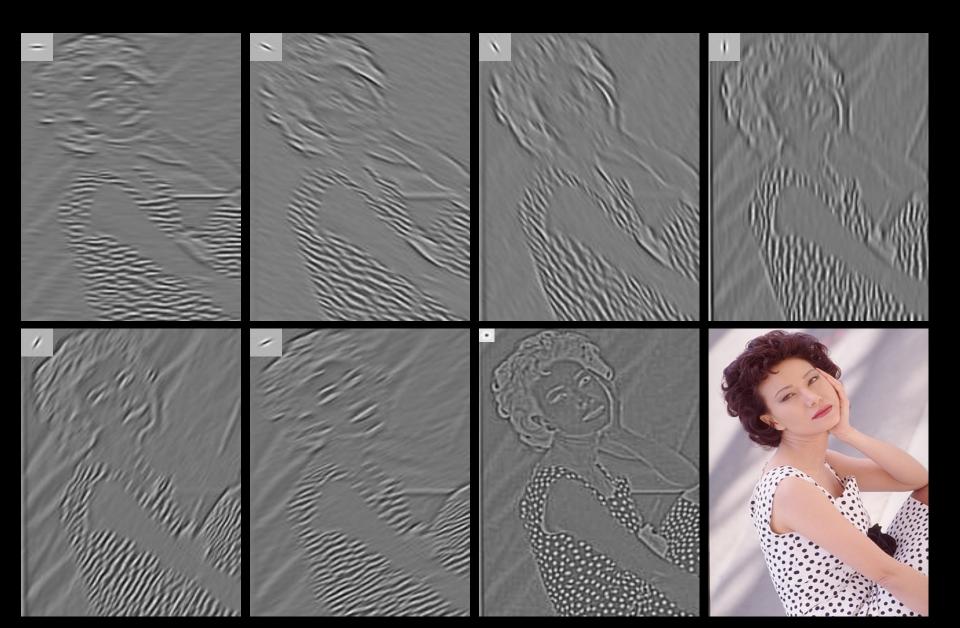
- 1976 CIE L\*a\*b\* colorspace
- Brightness Gradient  $\overline{BG(x,y,r,\theta)}$ 
  - Difference of L\* distributions
- Color Gradient  $CG(x,y,r,\theta)$ 
  - Difference of a\*b\* distributions



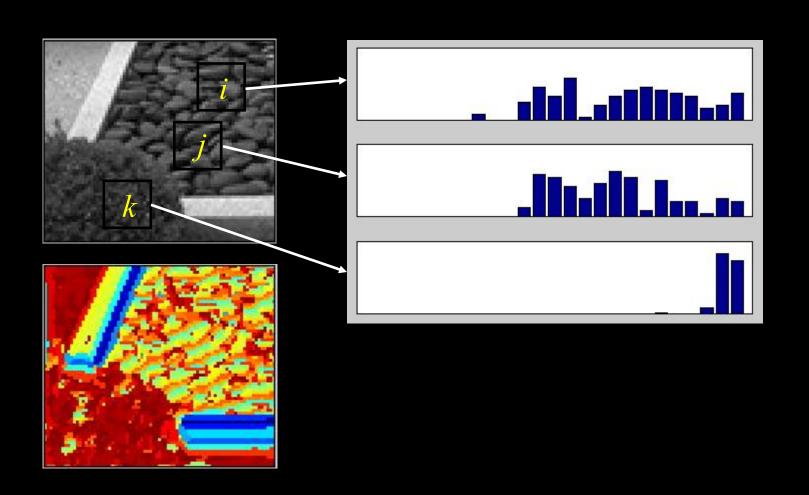
- Texture Gradient  $TG(x,y,r,\theta)$ 
  - Difference of distributions of
     V1-like filter responses

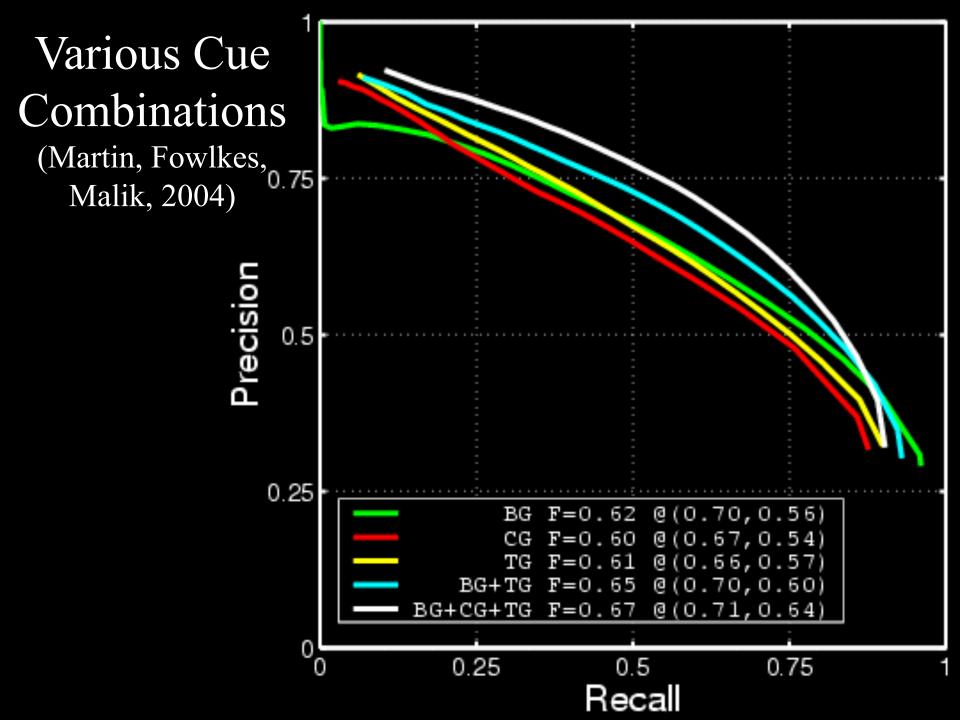


#### Filter Outputs



### Texture gradient = Chi square distance between texton histograms in half disks across edge





## Exploiting global constraints: Image Segmentation as Graph Partitioning



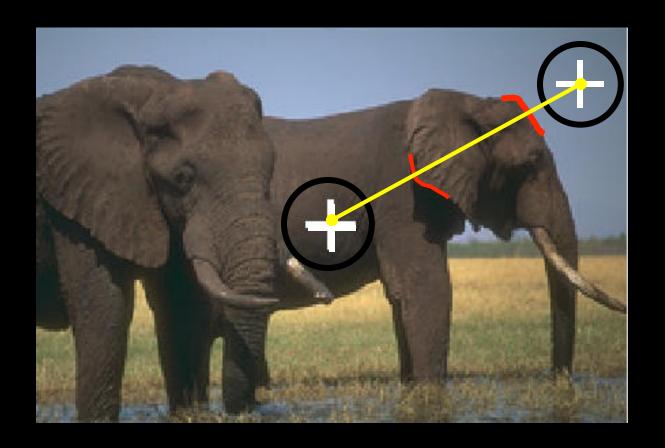
V: image pixels

E: connections between pairs of nearby pixels

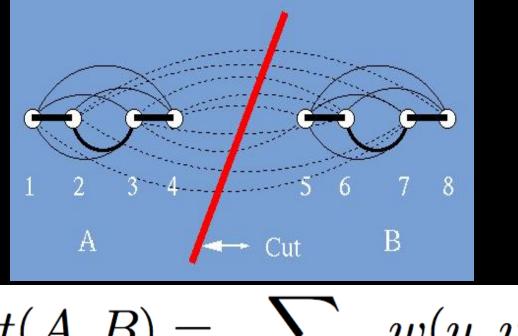
Partition graph so that similarity within group is large and similarity between groups is small -- *Normalized Cuts* [Shi & Malik 97]

Wij small when intervening contour strong, small when weak..

Cij = max Pb(x,y) for (x,y) on line segment ij;  $Wij = exp(-Cij/\sigma)$ 



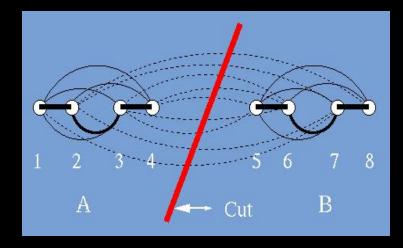
#### How to partition a graph



$$cut(A,B) = \sum_{u \in A, v \in B} w(u,v)$$

• We can find the minimum cut efficiently, but this tends to break the graph into isolated little pieces

#### Normalized Cut is a better measure ..



We normalize by the total volume of connections

$$Ncut(A,B) = \frac{cut(A,B)}{assoc(A,V)} + \frac{cut(A,B)}{assoc(B,V)}$$

where 
$$assoc(A, V) = \sum_{u \in A, t \in V} w(u, t)$$

#### Solving the Normalized Cut problem

- Exact discrete solution to Neut is NP-hard even on regular grid [Papadimitriou' 97]
- We first transform to

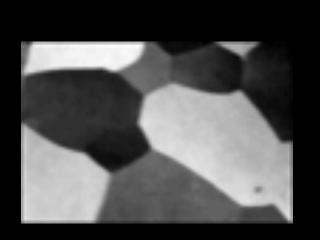
$$min_{m{x}}Ncut(m{x}) = min_{m{y}}rac{m{y}^T(\mathbf{D}-\mathbf{W})m{y}}{m{y}^T\mathbf{D}m{y}}$$
 with the condition  $m{y}(i) \in \{1,-b\}$  and  $m{y}^T\mathbf{D}\mathbf{1} = 0$ 

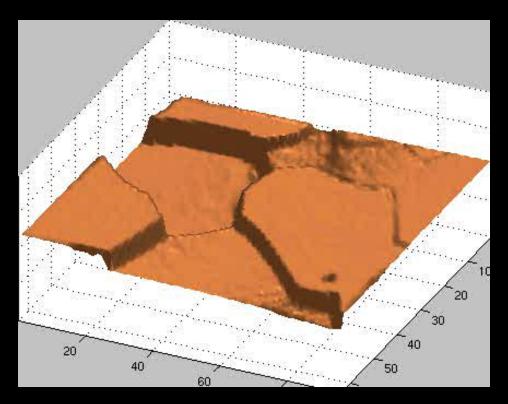
• Drawing on spectral graph theory, good approximation can be obtained by solving a generalized eigenvalue problem.

$$(\mathbf{D} - \mathbf{W})\mathbf{y} = \lambda \mathbf{D}\mathbf{y}.$$

#### Normalized Cuts as a Spring-Mass system

• Each pixel is a point mass; each connection is a spring:

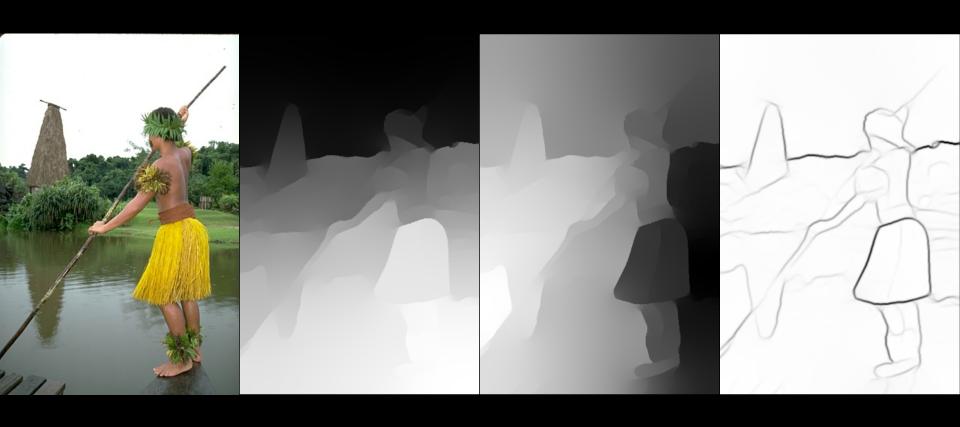


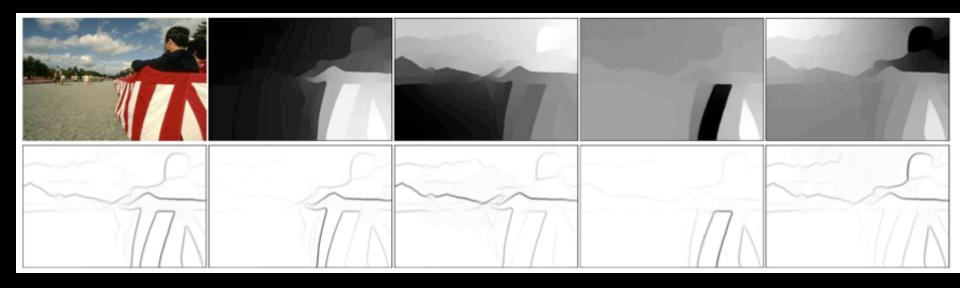


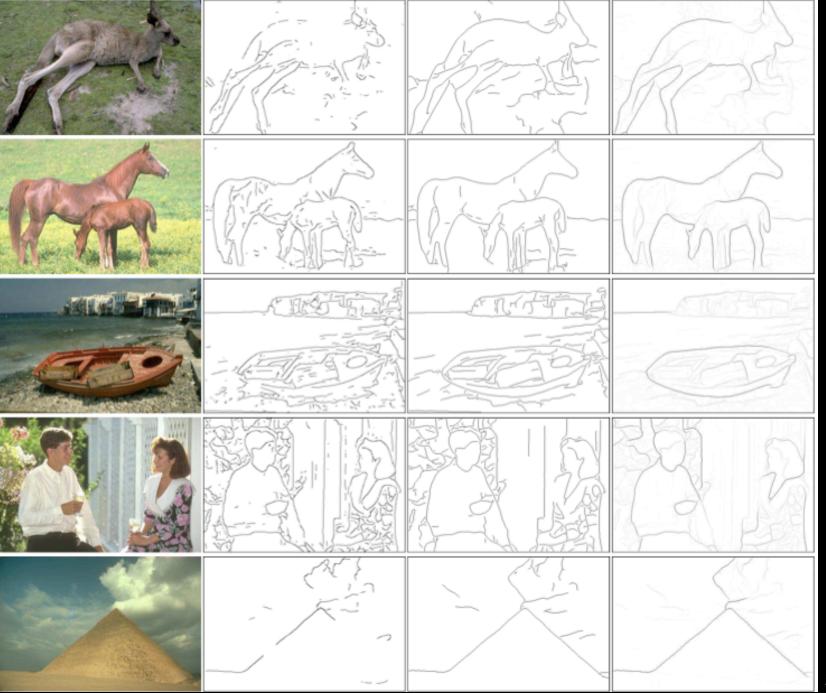
• Fundamental modes are generalized eigenvectors of

$$(D - W) y = \lambda Dy$$

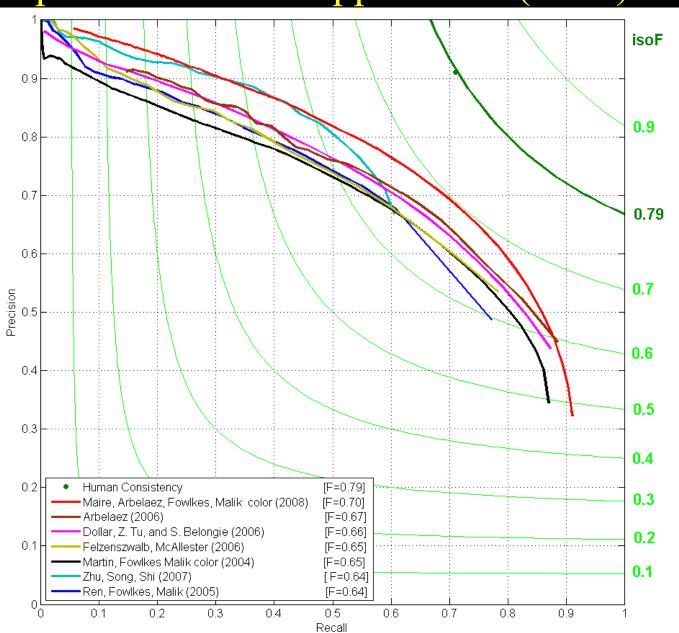
#### Eigenvectors carry contour information

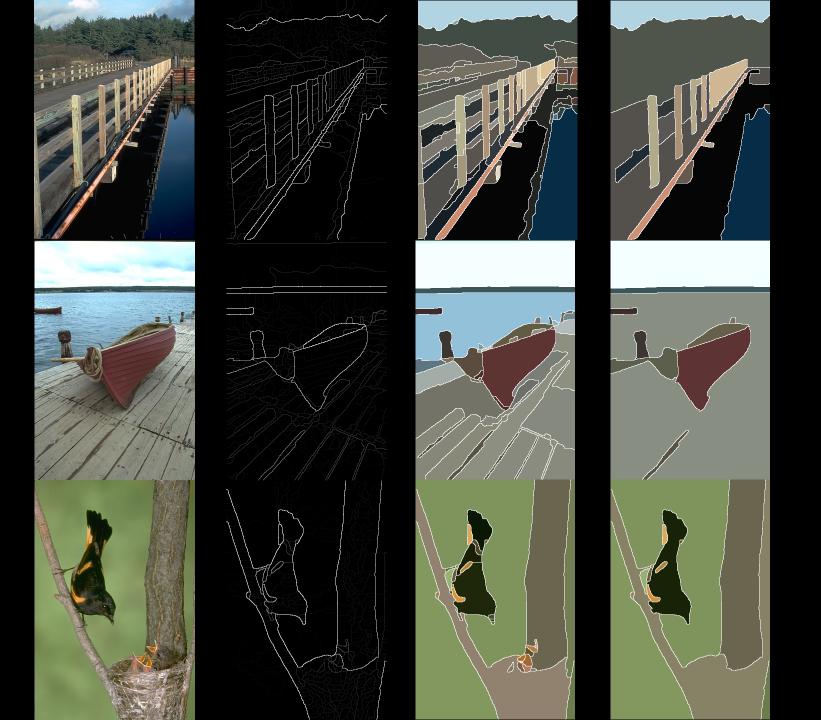




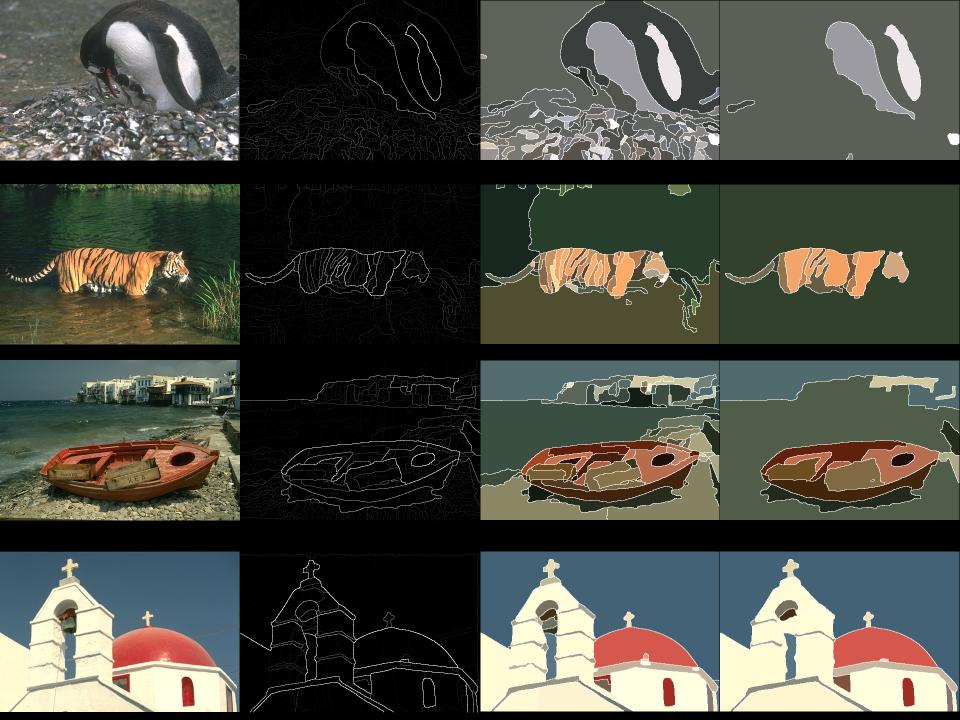


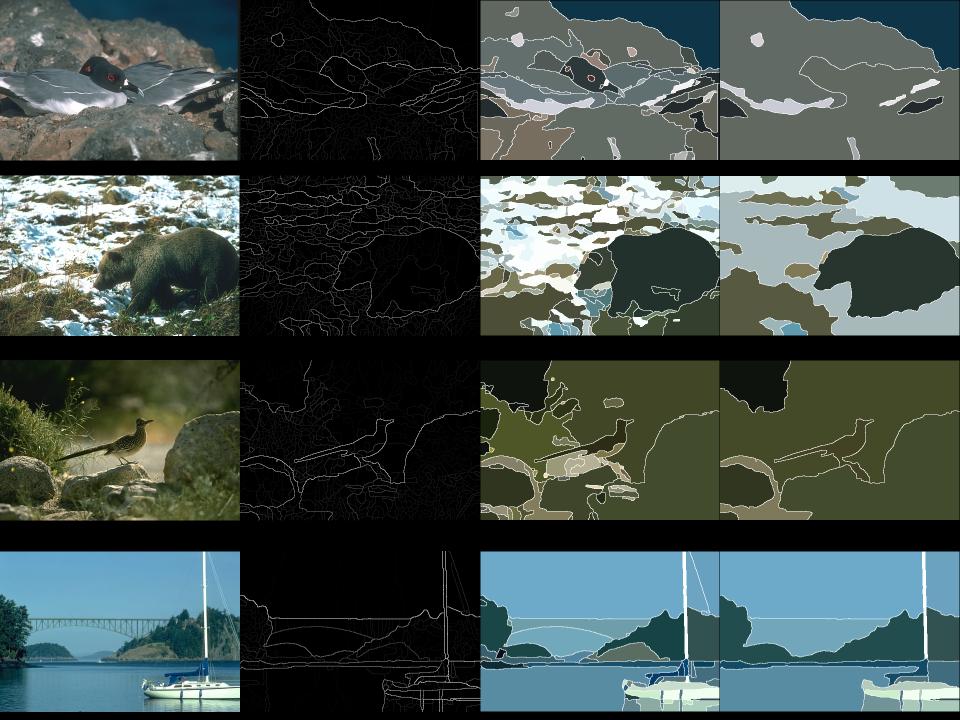
#### Comparison to other approaches (2009)

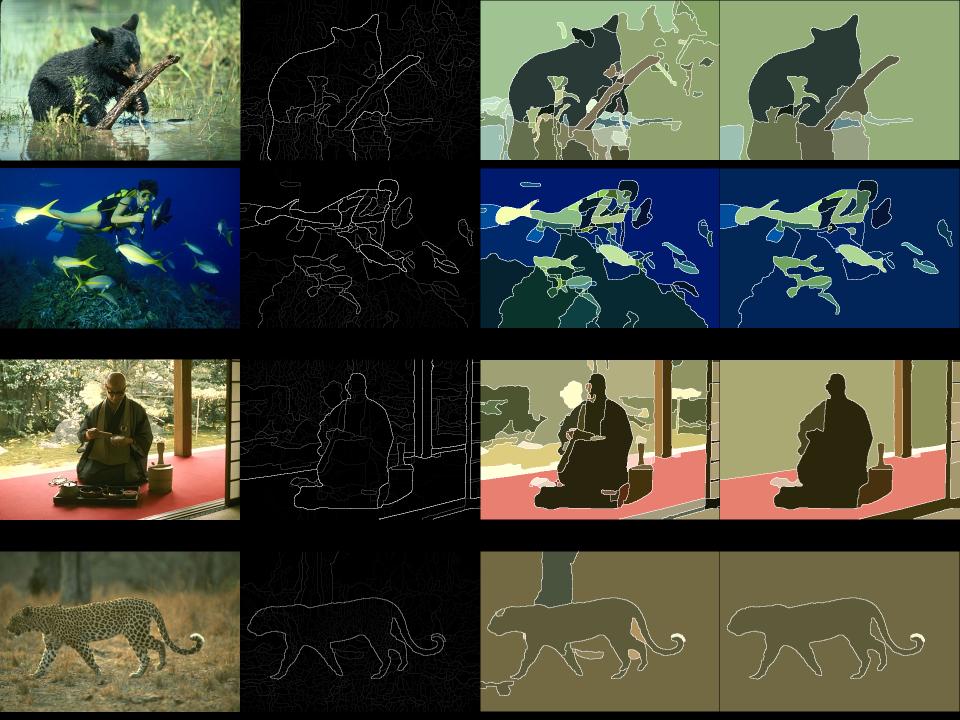


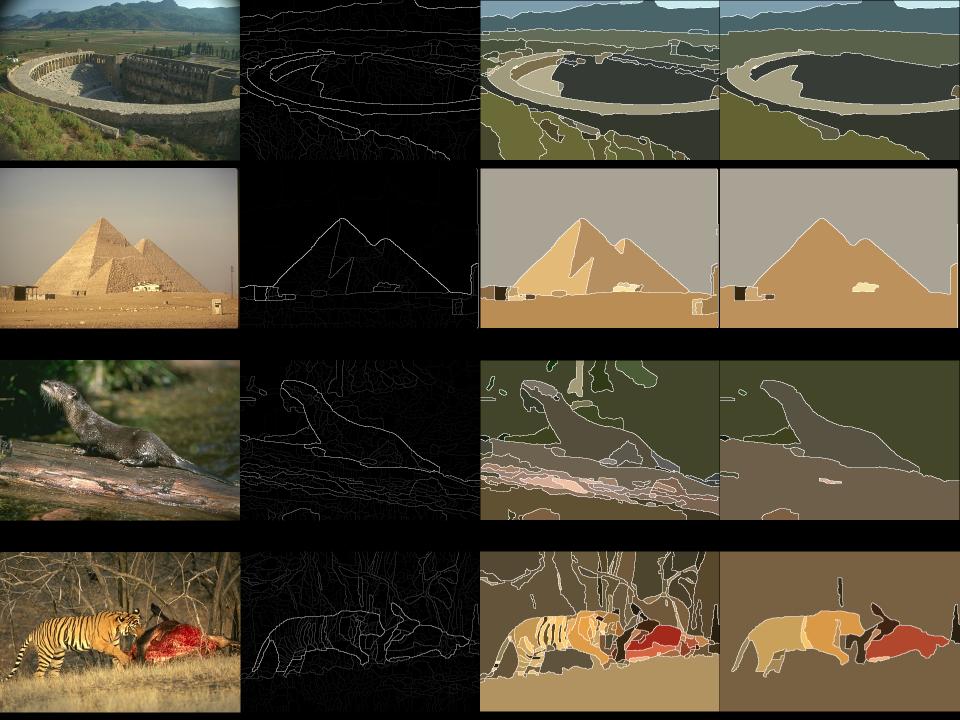












#### Fast Edge Detection Using Structured Forests

#### Piotr Dollár and C. Lawrence Zitnick Microsoft Research

{pdollar, larryz}@microsoft.com

Abstract—Edge detection is a critical component of many vision systems, including object detectors and image segmentation algorithms. Patches of edges exhibit well-known forms of local structure, such as straight lines or T-junctions. In this paper we take advantage of the structure present in local image patches to learn both an accurate and computationally efficient edge detector. We formulate the problem of predicting local edge masks in a structured learning framework applied to random decision forests. Our novel approach to learning decision trees robustly maps the structured labels to a discrete space on which standard information gain measures may be evaluated. The result is an approach that obtains realtime performance that is orders of magnitude faster than many competing state-of-the-art approaches, while also achieving state-of-the-art edge detection results on the BSDS500 Segmentation dataset and NYU Depth dataset. Finally, we show the potential of our approach as a general purpose edge detector by showing our learned edge models generalize well across datasets.

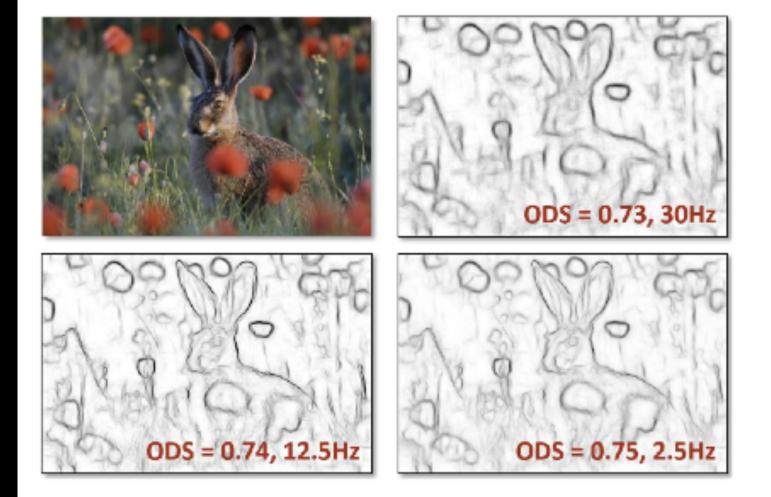


Fig. 1. Edge detection results using three versions of our Structured Edge (SE) detector demonstrating tradeoffs in accuracy vs. runtime. We obtain realtime performance while simultaneously achieving state-of-the-art results. ODS numbers were computed on BSDS [1] on which the popular gPb detector [1] achieves a score of .73. The variants shown include SE, SE+SH, and SE+MS+SH, see §4 for details.

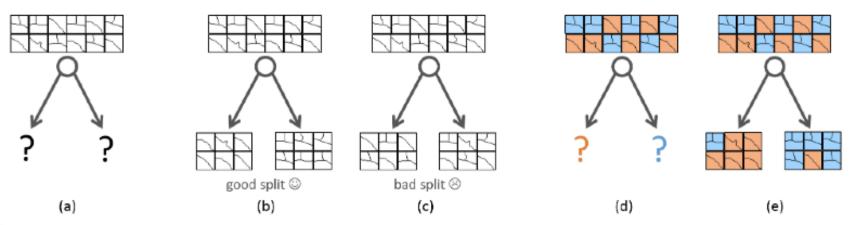


Fig. 2. Illustration of the decision tree node splits: (a) Given a set of structured labels such as segments, a splitting function must be determined. Intuitively a good split (b) groups similar segments, whereas a bad split (c) does not. In practice we cluster the structured labels into two classes (d). Given the class labels, a standard splitting criterion, such as Gini impurity, may be used (e).

 $x \in \mathbb{R}^{32 \times 32 \times K}$  where K is the number of channels. We use features of two types: pixel lookups x(i, j, k) and pairwise differences  $x(i_1, j_1, k) - x(i_2, j_2, k)$ , see §2.

Inspired by Lim et al. [31], we use a similar set of color and gradient channels (originally developed for fast pedestrian detection [12]). We compute 3 color channels in CIE-LUV color space along with normalized gradient magnitude at 2 scales (original and half resolution). Additionally, we split each gradient magnitude channel into 4 channels based on orientation. The result is 3 color, 2 magnitude and 8 orientation channels, for a total of 13 channels.

We blur the channels with a radius 2 triangle filter and downsample by a factor of 2, resulting in  $32 \cdot 32 \cdot 13/4 = 3328$  candidate features x. Motivated by [31], we also compute pairwise difference features. We apply a large triangle blur to each channel (8 pixel radius), and downsample to a resolution of  $5 \times 5$ . Sampling all candidate pairs and computing their differences yields an additional  $\binom{5 \cdot 5}{2} = 300$  candidate features per channel, resulting in 7228 total candidate features.

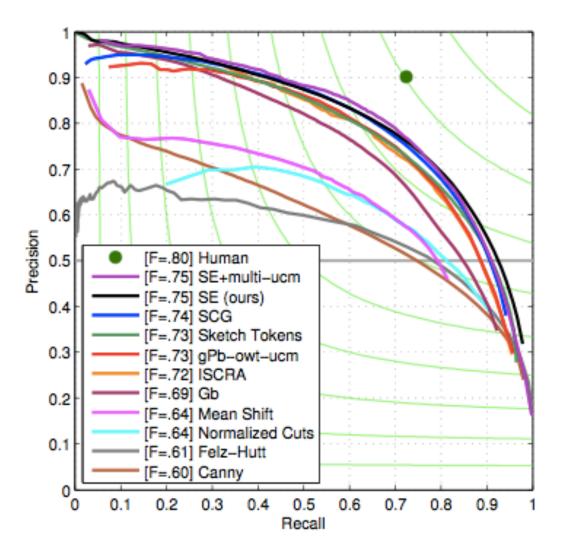
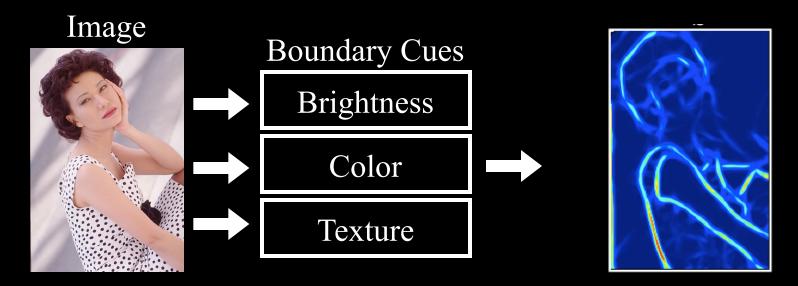


Fig. 9. Results on BSDS500. Structured edges (SE) and SE coupled with hierarchical multiscale segmentation (SE+multi-ucm) [2] achieve top results. For the SE result we report the SE+MS+SH variant. See Table 1 for additional details including method citations and runtimes. SE is orders of magnitude faster than nearly all edge detectors with comparable accuracy.

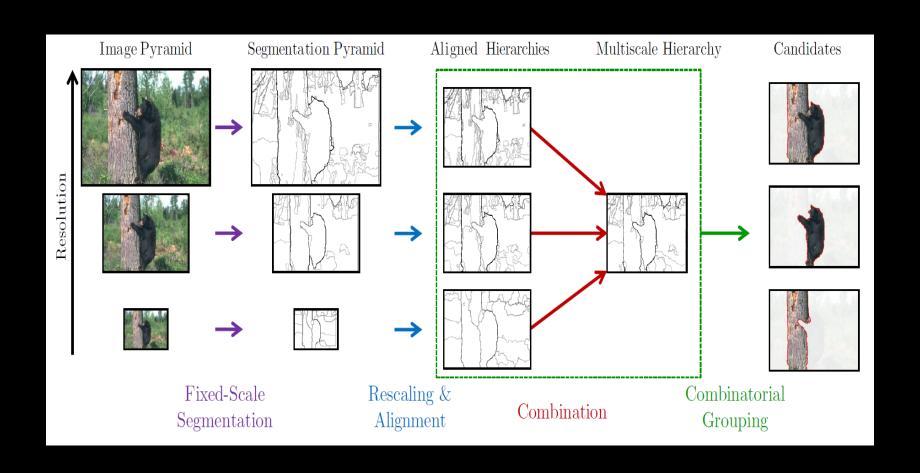
#### Martin, Fowlkes, Malik PAMI 04



We trained a detector that combine multiple cues to find the posterior probability of a boundary/edge  $P_b(x,y,\theta)$ . After that we used Normalized Cuts (Shi & Malik) to find regions.

#### Multiscale Combinatorial Regions

Arbelaez, Pont-Tuset, Barron, Marques & Malik, CVPR 2014



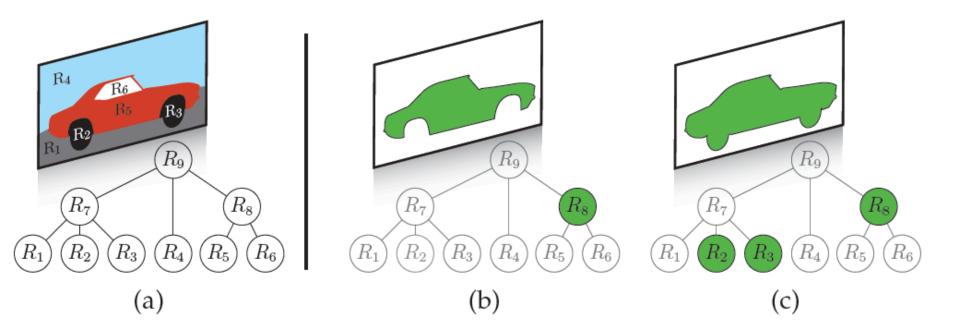
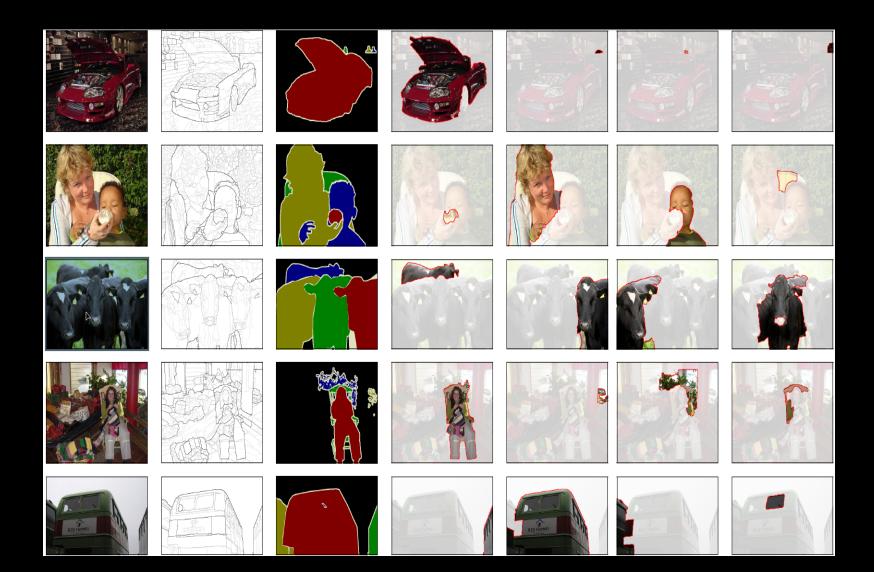


Fig. 5. Object segmentation as combinatorial optimization: Examples of objects (b), (c), formed by selecting regions from a hierarchy (a).

### Examples



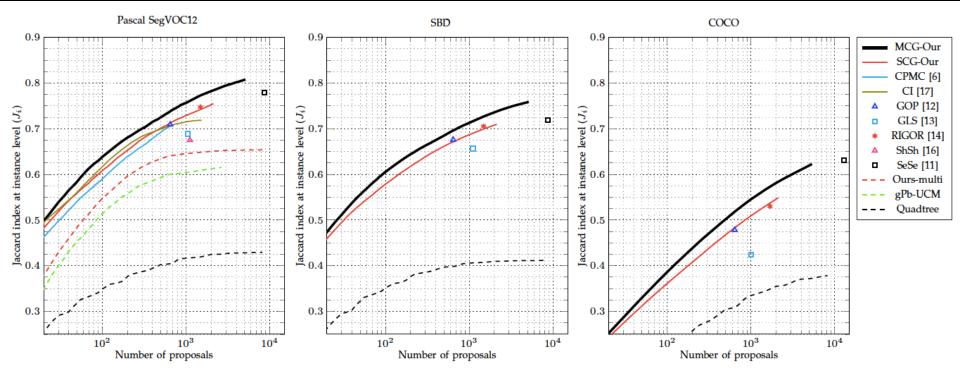


Fig. 8. Object Proposals: Jaccard index at instance level. Results on SegVOC12, SBD, and COCO.

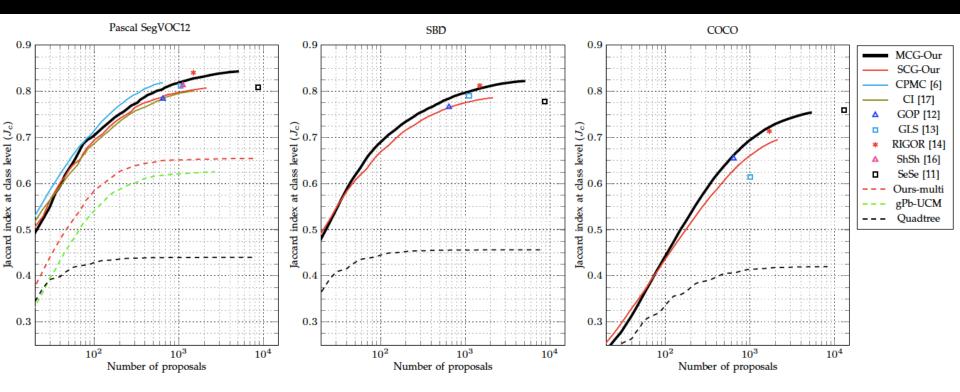


Fig. 9. Object Proposals: Jaccard index at class level. Results on SegVOC12, SBD, and COCO.