

# C2CU: A CUDA C Program Generator for Bulk Execution

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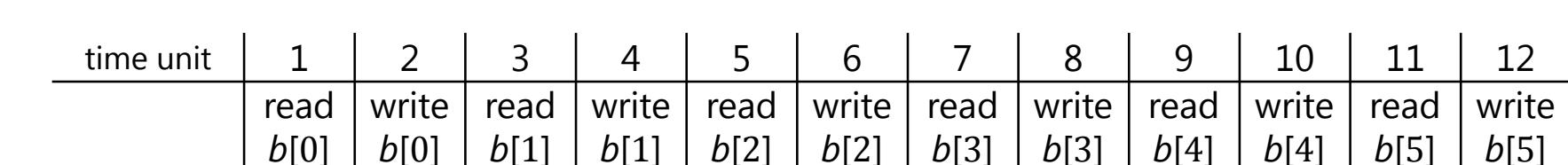
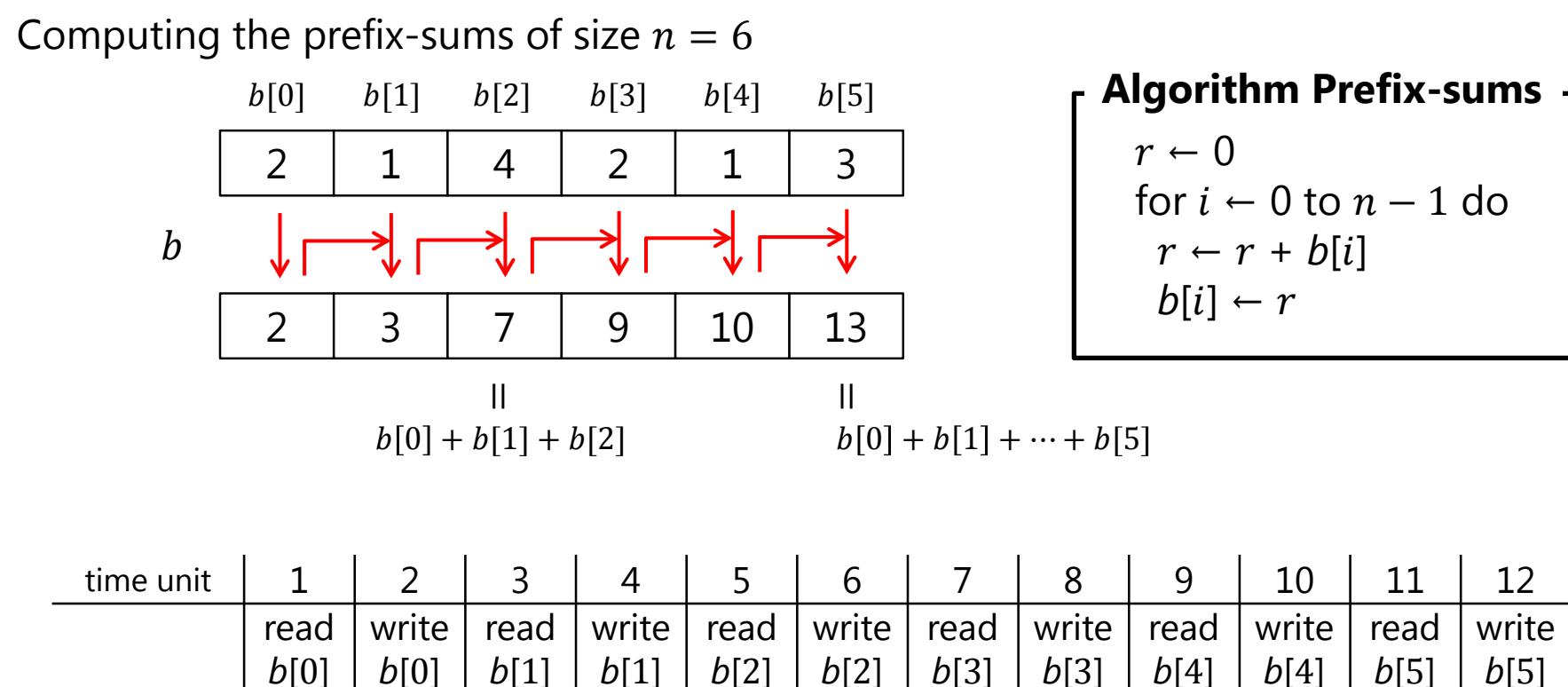
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## Abstract

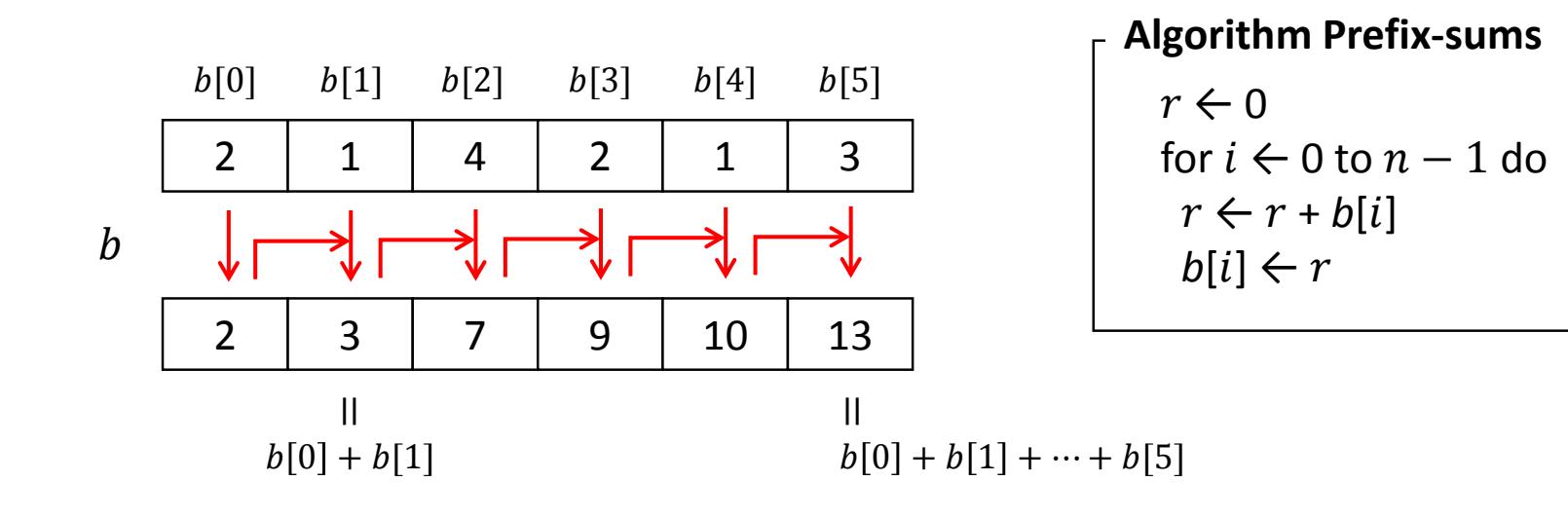
We present a time-optimal implementation for bulk execution of an oblivious sequential algorithm. Our second contribution is to develop a tool, named C2CU, which automatically generates a CUDA C program for a bulk execution of an oblivious sequential algorithm.

## Oblivious algorithm

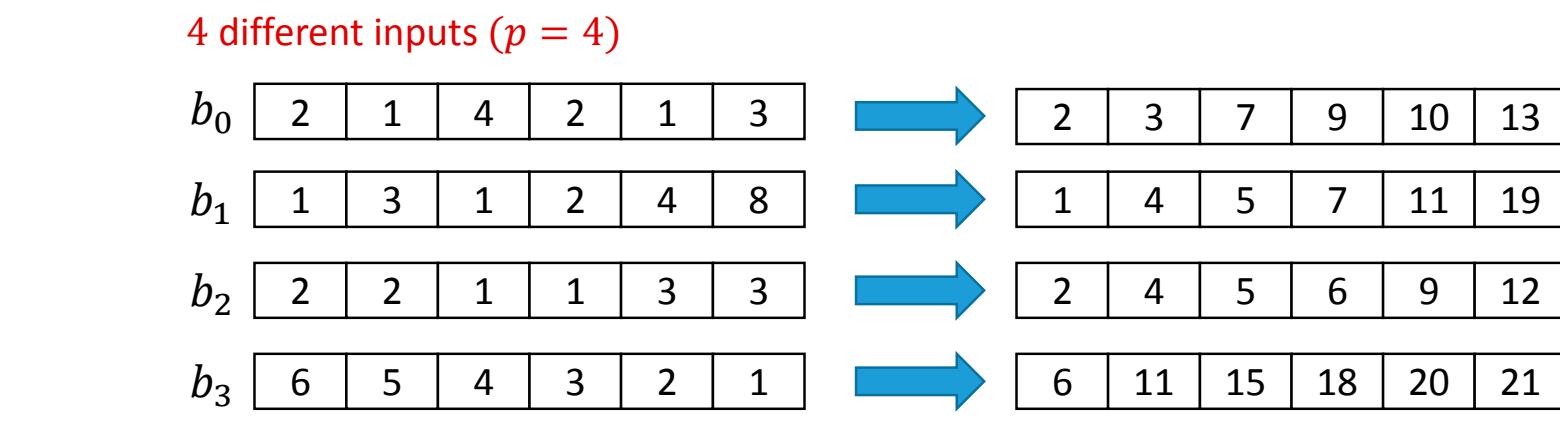
A sequential algorithm is **oblivious** if an address accessed at each time unit is independent of the input.



## Bulk execution of oblivious algorithms

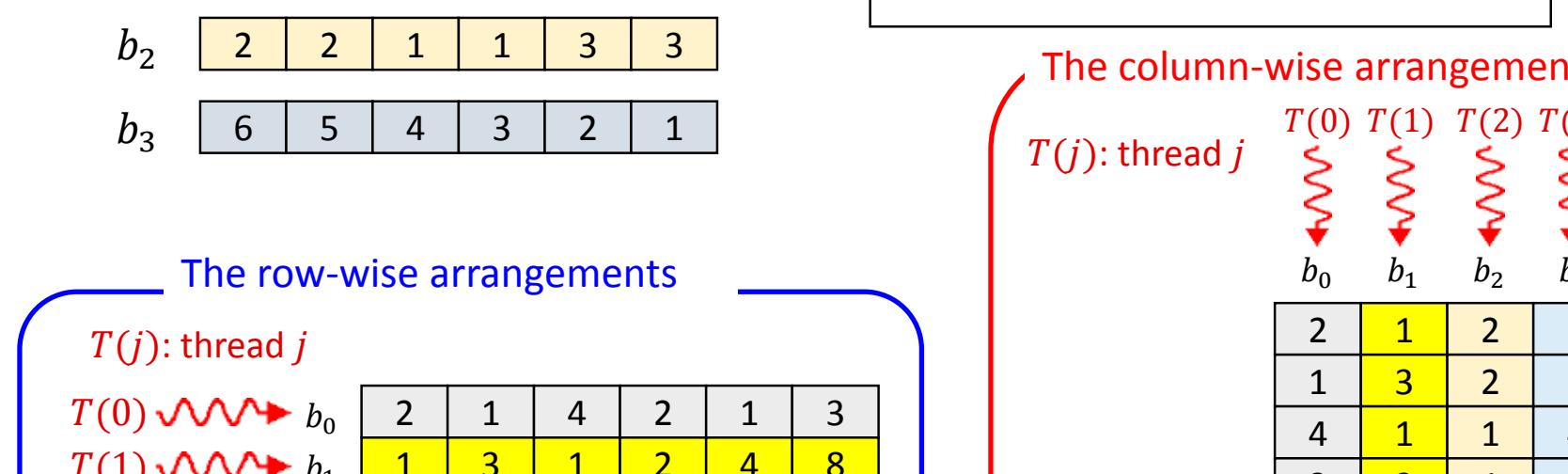
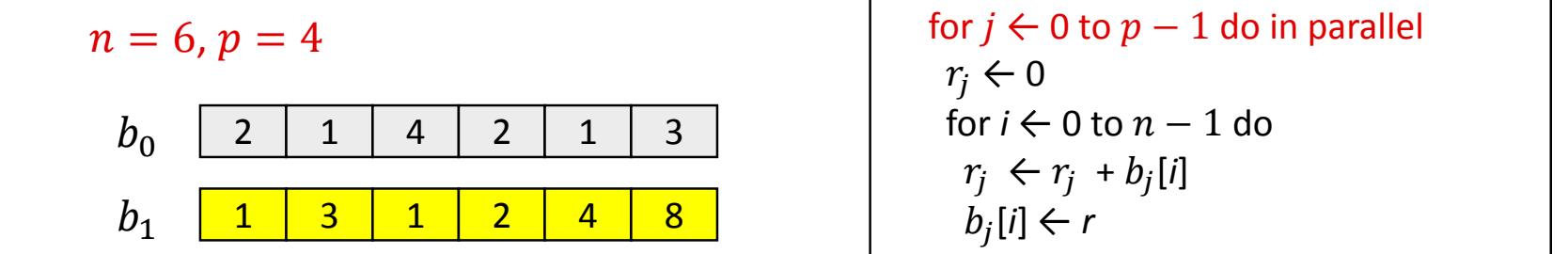
Computing the prefix-sums of size  $n = 6$ 

The bulk execution of prefix-sums: compute the prefix-sums for many different inputs in turn or at the same time

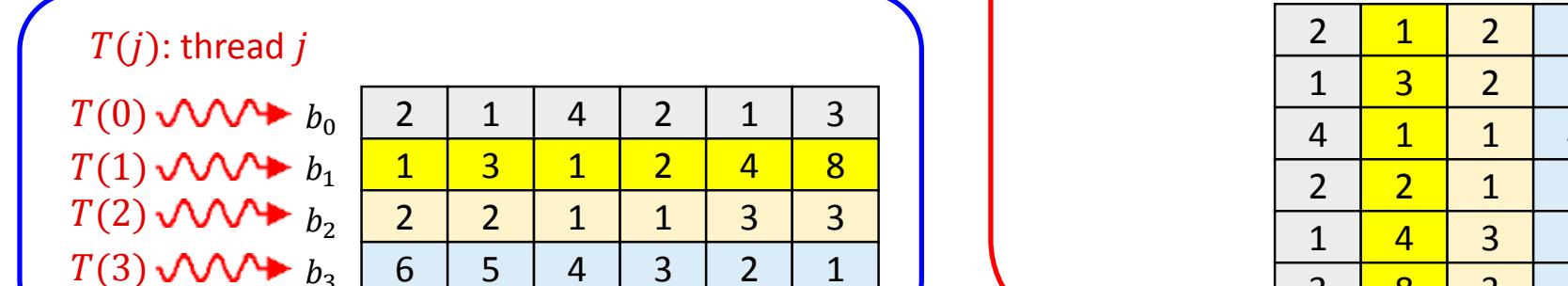


## Bulk execution with coalesced access

Every memory access can be performed by coalesced access using column-wise arrangements.



The row-wise arrangements



## Performance Evaluation

### Bulk execution of oblivious algorithms:

- Floyd-Warshall algorithm
- Bitonic sorting algorithm, and
- Montgomery modulo multiplication.

**GPU:** NVIDIA GeForce GTX TITAN  
using  $p$  threads in  $\frac{p}{64}$  CUDA blocks with  
64 threads each

**CPU:** Intel Core i7 (3.5MHz)  
The sequential algorithm is repeated by  $p$  times.

Our implementations running on GeForce GTX Titan for the bulk execution can be  
**54 times** faster for Floyd-Warshall algorithm,  
**199 times** faster for bitonic sort, and  
**78 times** faster for Montgomery modulo multiplication,  
over the implementations on a single CPU.

### Floyd-Warshall algorithm

#### Execute Floyd-Warshall Algorithm for $p$ inputs

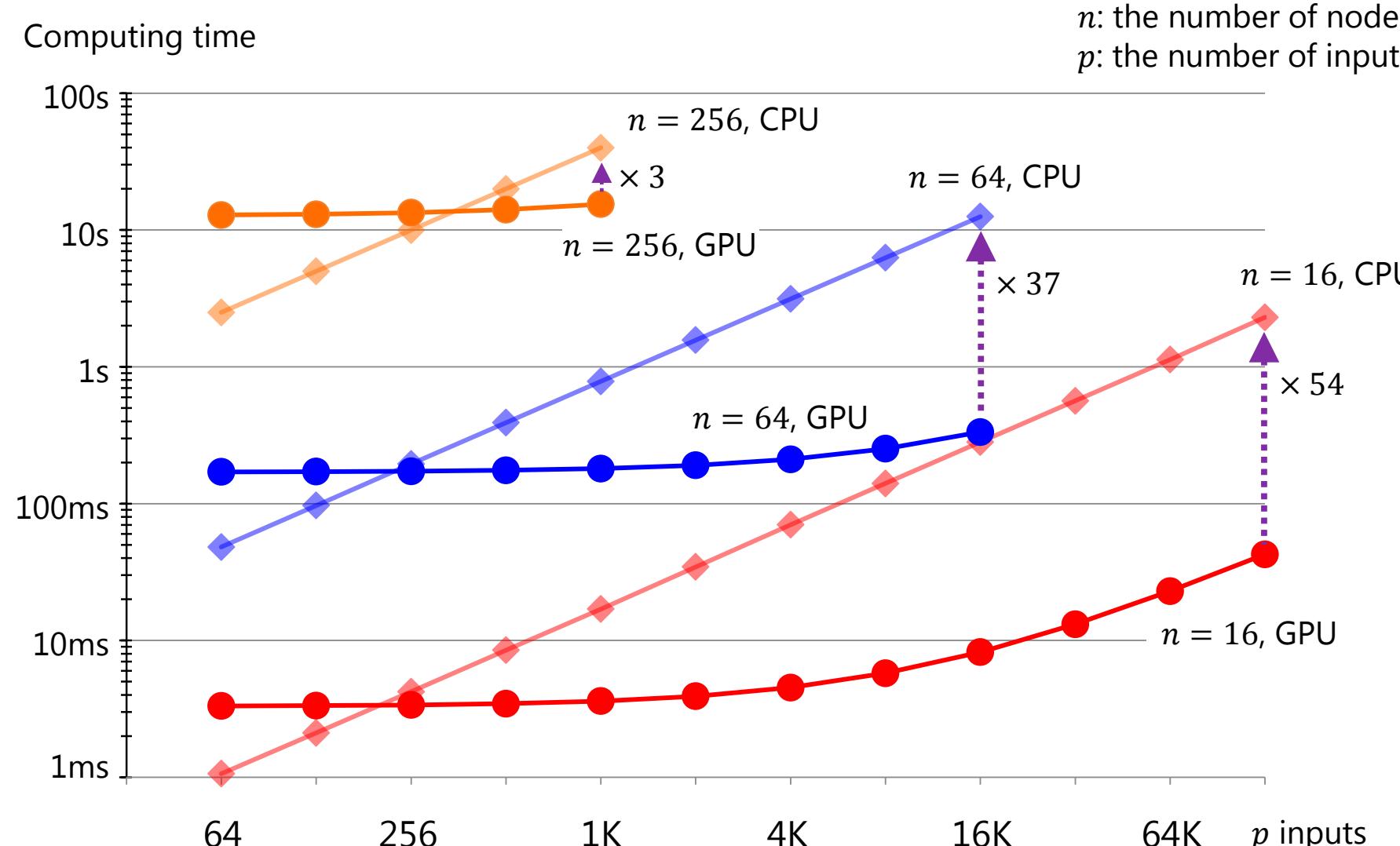
Floyd-Warshall Algorithm:

Compute the distance of the shortest paths of all pairs of nodes in a directed graph

Instance:

 $n = 16, 64, 256$ 

(directed graphs with 16 nodes, 64 nodes, and 256 nodes)

 $p = 64, 128, 256, \dots, 128K (=131072)$ 

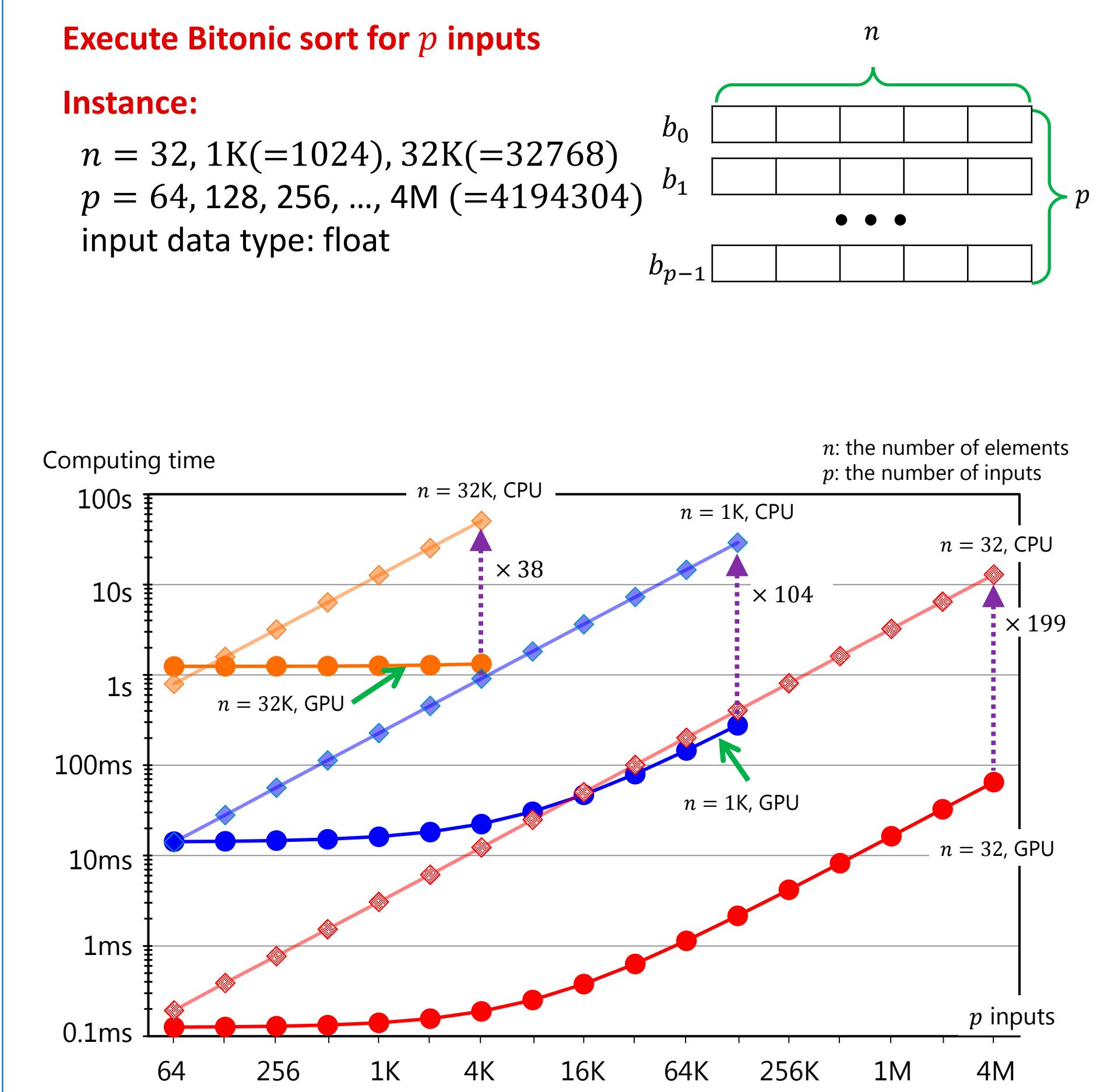
### Bitonic sort

#### Execute Bitonic sort for $p$ inputs

Instance:

 $n = 32, 1K (=1024), 32K (=32768)$  $p = 64, 128, 256, \dots, 4M (=4194304)$ 

input data type: float



### Montgomery modulo multiplication

#### Execute Montgomery modulo multiplication for $p$ inputs

Input:

 $n = 512, 16K (=16384), 1M (=1048576)$  $p = 64, 128, 256, \dots, 2M (=2097152)$ 