



MDACCER: A local strategy for assessment of complex networks on GPUs



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Abstract

We propose a new method derived from DACCER (*Distributed Assessment of the Closeness Centrality Ranking*)[1]: the modified DACCER (MDACCER), for assessing traditional Closeness Centrality ranking.

MDACCER presents a relaxation that allows it to take advantage of massively parallel environment, like General Purpose Graphics Processing Units (GPGPUs).

DACCER assesses the node centrality by establishing a radius h for a limited neighborhood around each node. When $h=2$, it presents a good correlation level to Closeness Centrality at a lower cost besides being easier to be parallelized. Despite all the advantages, DACCER presents some difficulties in GPGPUs programming model that increases computational cost at this particular environment [2].

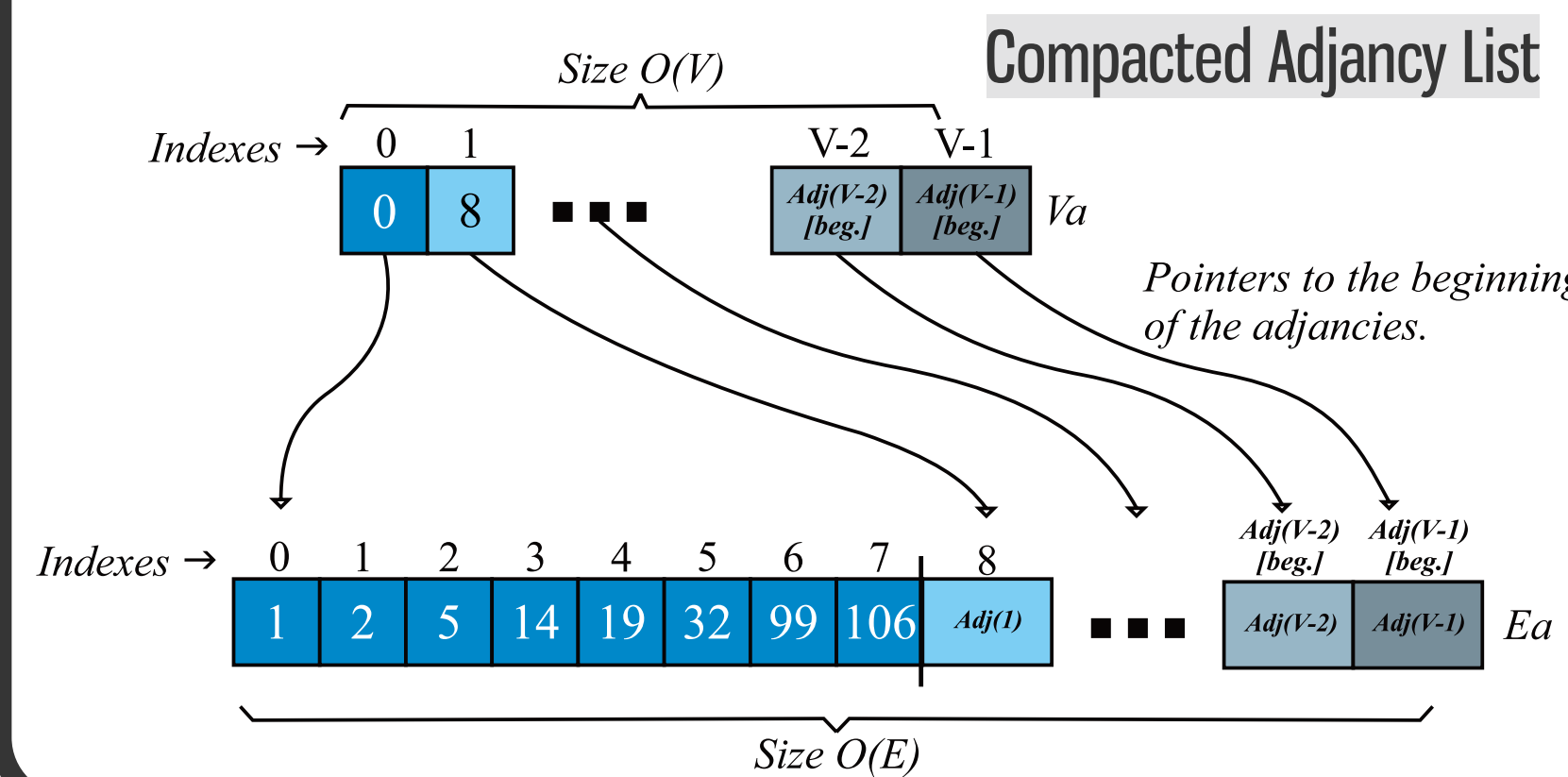
In order to accommodate DACCER to that sort of environment, we proposed MDACCER. Experimental results demonstrate that MDACCER is as simple and efficient as DACCER to assess Closeness centrality ranking in complex networks and moreover does not have the same bottlenecks in GPGPUs computing, about memory usage and time complexity. We performed MDACCER for synthetically generated Barabási-Albert (BA) networks[3], and results indicate MDACCER correlates Closeness centrality ranking almost as well as DACCER does, at lower computational costs.

Implementation

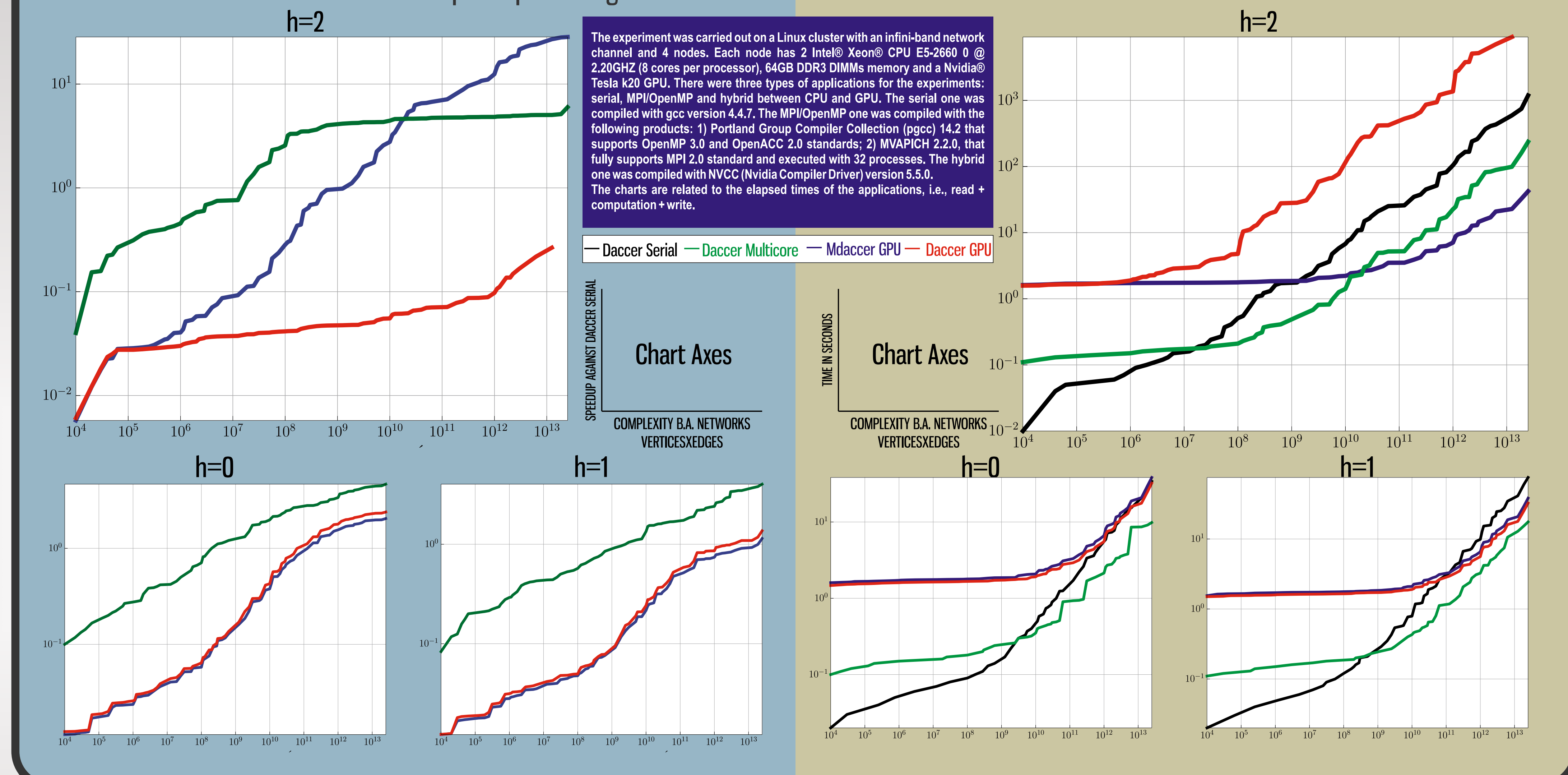
We implemented MDACCER on CUDA 5.5 along with the Thrust parallel API [4] to implement the device/host arrays as well to perform some parallel primitives: reduce, exclusive-scan and sequence.

The most underlying structure of the application is the Compacted Adjacency List (CAL) [5]. There are three lists of that type: the one which stores the graph, the one which stores the adjacencies at the k -layer and the one which stores the adjacencies at the $k-1$ layer.

The algorithm starts with the reading of the graph and the radius. After that, it creates the CAL for the computation of the volume (centrality measure of the node). It iterates over the neighborhood of the vertices until it gets the input radius. At every iteration, it allocates a thread to each vertex to compute its correspondent volume. After, the volume computation, the algorithm output a ranking ordered of highest to lowest.



Results



Centrality of Complex Networks

A complex network is defined as a graph whose topological features are non-trivial, i.e., there are connectivity patterns (spatial and temporal) between its elements which are neither purely regular nor purely random. Nowadays, Complex networks include most social, biological and technological networks [5].

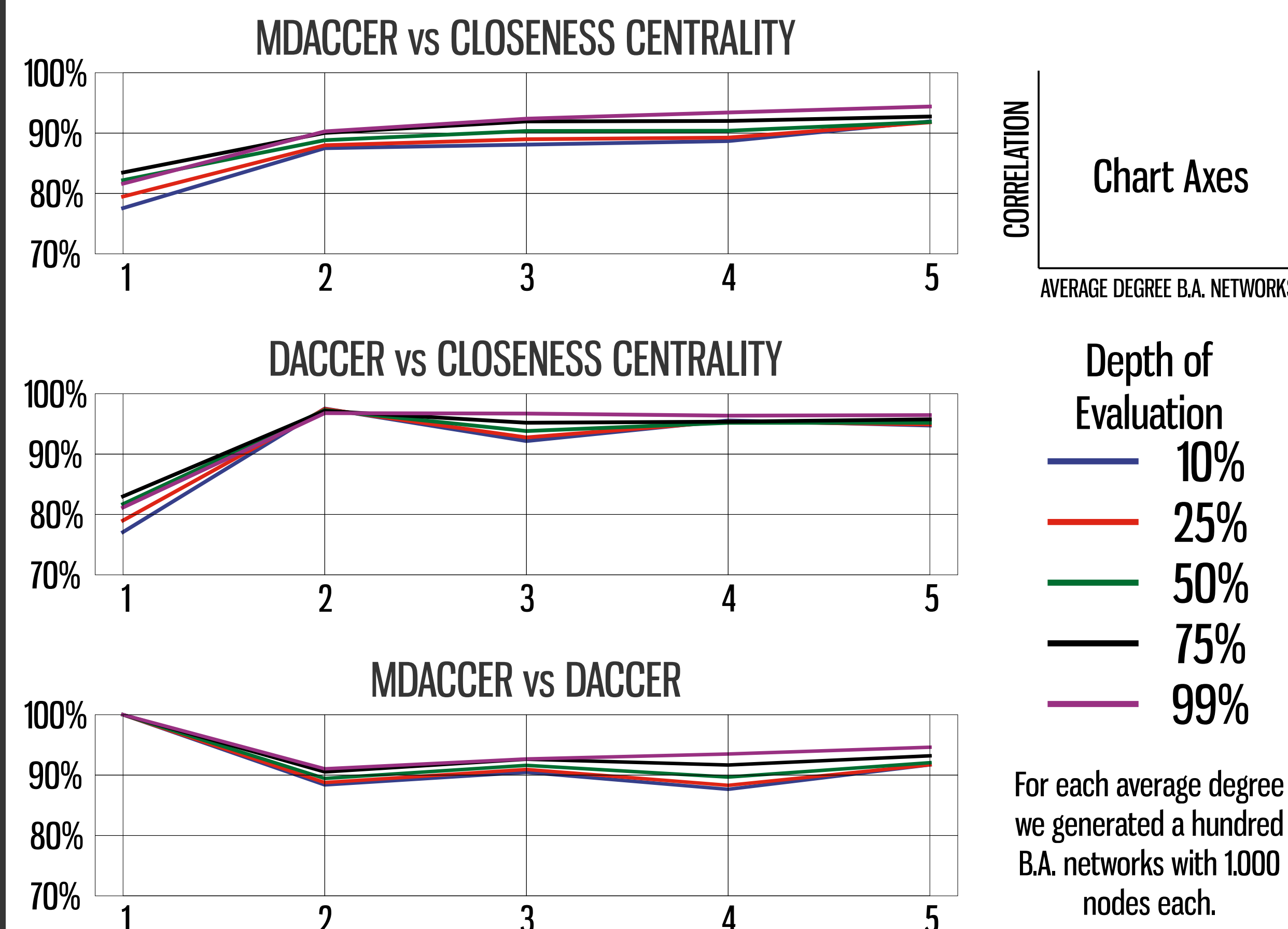
The study of dynamics of such networks can be accomplished through models, one of which is the Barabási-Albert one [3].

One of the characteristics assessed in the Network Theory is the centrality of the nodes. In broad terms, it tells the relative importance of them in the network. In this study, many approaches have been used as the *Closeness Centrality* and *Betweenness Centrality* [7].

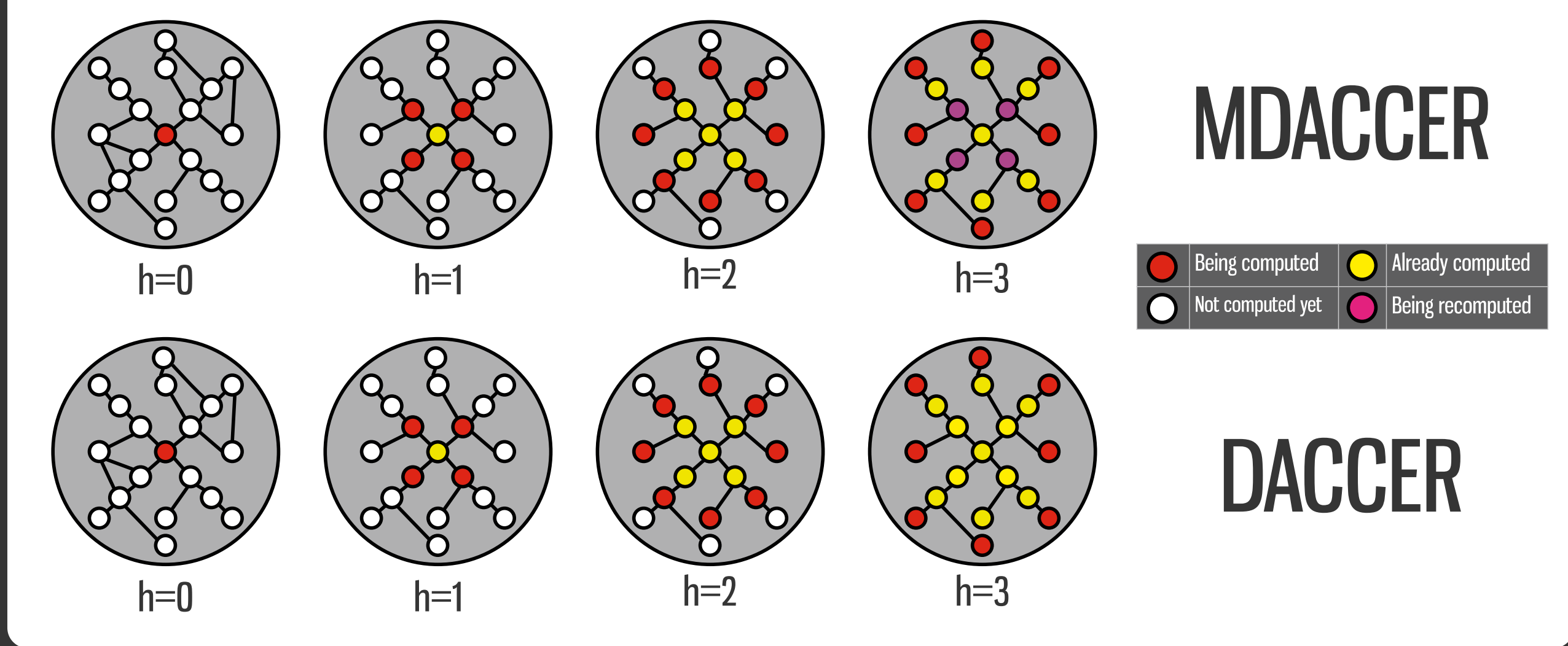
Those approaches, called global ones, need to have a full knowledge of the net, which makes them computationally expensive. Beside that, it is very difficult to parallelize them. Those two factors have been leading researchers to look into local and parallelizable methodologies, i.e., the ones that do not need to have complete knowledge of the net as the DACCER one.

Correlation Degree for $h=2$

value given by Rank-Biased Overlap [8]



Differences between MDACCER and DACCER



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